

Astron. Astrophys. Suppl. Ser. 55, 143-161(1984)

Revision of solar equivalent widths, Fe I oscillator strengths and the solar iron abundance

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Received July 4, accepted October 12, 1983

Summary. — We employ detailed modelling of solar Fe I and Fe II lines to calibrate the correction of equivalent widths for contamination by unresolved blends. We then determine the equivalent widths of 750 clean lines in the Jungfrauoch Atlas of the optical solar spectrum, and we compare these to the values given for the Utrecht Atlas by Moore *et al.* (1966). We also select clean Fe I lines, discuss their NLTE formation, construct a NLTE Fe I curve of growth, provide new oscillator strengths for weak Fe I lines, and revise the solar iron abundance to $N_{\text{Fe}}/N_{\text{H}} = (4.3 \pm 0.5) 10^{-5}$. We use the results to appraise the basis and methods of classical stellar abundance determination.

Key words : stellar photospheres — solar spectral lines — curve of growth — transition probabilities — iron abundance.

1. Introduction.

This paper completes a series of three in which the optical solar Fe I spectrum is scrutinized to assess conventions of classical stellar abundance analysis. After discussing Fe I oscillator strengths, the NLTE formation of Fe I lines and the Fe I curve of growth in the preceding papers (Rutten and Kostik, 1982, henceforth paper RK; Rutten and Zwaan, 1983, henceforth paper RZ), we turn now to the observational input of classical abundance determination : to the *equivalent widths*.

The standard reference for equivalent widths of optical solar lines is the compilation by Moore, Minnaert and Houtgast (1966, henceforth MMH) ⁽¹⁾, which is based on the 40-year old Utrecht Atlas (Minnaert *et al.*, 1940). Here, we use the much more precise Jungfrauoch Atlas (Delbouille *et al.*, 1973) to furnish a consumer report on the quality of the MMH values. Such an appraisal is of interest to stellar studies because stellar techniques now permit a similar advance : while the Utrecht Atlas finds its stellar counterpart in conventional high-dispersion photographic Coudé spectrography, most notably in the Griffin Atlases (Griffin, 1968; Griffin and Griffin, 1979), the photoelectric double-pass Jungfrauoch Atlas sets an example of spectral purity now in reach of stellar instruments, most notably the ESO Coudé Echelle Spectrometer (Enard, 1981). This advance is important because spectral resolution is the prime domain of resolution

in which stellar phenomena can be studied with solar-like sophistication (see Rutten and Cram, 1981). It therefore behooves solar spectroscopy to ascertain what precision is required for which sophistication; we do this here for abundance determination, with Fe I as archetypical example.

In paper RZ, it was found that the oscillator strengths of weak Fe I lines are now so well determined (Gurtovenko and Kostik, 1981) that equivalent widths have replaced the oscillator strengths as major error source, implying that revision of the MMH values promises worthwhile improvements not lost in other noise. However, we find revision of the equivalent width of all 5000 solar Fe I lines (or, *a fortiori*, of all 24000 MMH lines) too large an undertaking even in the computer era, because it requires blend removal through detailed profile synthesis for most lines. We rather discuss here only *clean* weak lines, without discernable blends. Fortunately, there are enough of these present to permit evaluation of the MMH values, and of the Fe I curve of growth.

Even clean lines are often contaminated by unresolved blends; in the violet, these constitute together an appreciable quasi-continuous « line haze ». We derive appropriate corrections in section 2 on the basis of published NLTE modelling of solar Fe I and Fe II lines. We also address the old but unavoidable problem of locating the « true » continuum. In section 3 we select all clean weak lines from the Jungfrauoch Atlas and compare their equivalent widths with the MMH values. In section 4 we select the clean Fe I lines and discuss their curve of growth.

With this paper, on solar equivalent widths and the curve-of-growth, ends a Utrecht tradition which started

⁽¹⁾ We thank J. W. Harvey at Kitt Peak National Observatory for a listing of MMH on computer tape. Copies can be obtained from E.v.d.Z.

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50 years ago when Minnaert and coworkers introduced these concepts, and which culminated in the Utrecht Atlas and the MMH compilation. Coauthor to both was J. Houtgast, who died at Utrecht on 1 november, 1982. We dedicate this paper to his memory.

2. Reduction.

2.1 CORRECTIONS FOR UNRESOLVED BLENDS. — Many spectral lines do not reach the «true» continuum I_c^T set by the free-free processes, the bound-free processes and the continuum-scattering processes. Instead, they are blended by unresolved weak lines and/or the overlapping wings of nearby strong lines, which effectively combine into an extra quasi-continuous process and modify the observed background intensity to a lower «local» continuum I_c^L (Fig. 1).

In this section we employ model computations to study how this change in background affects equivalent widths. We assume at first that the change indeed mimics the true continuum in formation, i.e. that the extra contribution by the unresolved blends to the total opacity is constant over the line width, and that it has the same height-dependence as the true continuous opacity.

We model the difference between the «true» equivalent width W^T , which we define as the equivalent width which a line would have in the absence of this additional quasi-continuous opacity (Fig. 1), and the actually measured «local» equivalent width W^L by comparing iron lines computed with and without enhancements of the continuous opacity. We have used the computer program and the standard setup of paper RZ, adopting the same atmospheric model, turbulence, partition functions, damping formalisms, etc. We again use the height-dependent NLTE departure coefficients for the Fe I $a^3 F$ and $z^5 G^o$ levels from Lites and White (1973), and the coefficients for the Fe II $a^6 D$ and $z^7 D^o$ levels from Cram *et al.* (1980). These sets are representative for most Fe I and Fe II lines, respectively; they are shown and discussed in paper RK. We enter the opacity enhancements by height-independent multiplication factors $1 + \varepsilon$ to the combined continuous opacities from H, H⁻ and the metals; the scattering processes (Thomson and Rayleigh) are not changed.

We have computed the equivalent widths of many such representative Fe I and Fe II lines, varying the opacity increment ε , the oscillator strength gf , the lower-level excitation energy χ and the wavelength λ . Figure 2 shows results covering the range of these variables in realistic combinations; the computed continuum ratios I_c^L/I_c^T are specified in table I.

The line-strength corrections $\log(W^T/\lambda) - \log(W^L/\lambda)$ in figure 2 vary from quite small for short wavelengths and low excitation, to appreciable for long wavelengths and high excitation; they are larger for Fe II than for Fe I. For example, the $\varepsilon = 10\%$ curve for Fe I lines at $\lambda = 400$ nm, $\chi = 1$ eV (upper solid curve in the lefthand panel) does not reach the 3% difference level, while the $\varepsilon = 5\%$ curve for Fe II lines at $\lambda = 800$ nm, $\chi = 4.5$ eV reaches the 5% difference level for very weak lines (upper dashed curve in the righthand panel). Except for the latter lines, all corrections are *smaller* than the adopted opacity increments ε .

The computed continuum decrements $1 - I_c^L/I_c^T$ are also smaller than ε (Table I).

For a given observed line strength $\log(W^L/\lambda)$ and opacity increment ε , the line-strength corrections increase with the excitation energy and with the wavelength. Since the corresponding continuum ratios I_c^L/I_c^T increase with wavelength, the corrections increase also with wavelength for a given continuum ratio.

Figure 2 shows further that the correction curves reflect the slope of the curve of growth. They are constant for the weakest lines, and then dip to a minimum which is located at the onset of the flat part of the curve of growth, and which shifts leftward for increasing wavelength in accordance with the flat part's wavelength forking. For stronger lines the curves rise again until they flatten out at right, with a slight decrease for the Fe II lines.

We explain these various features by referring to the classical derivation of the curve of growth assuming a Milne-Eddington atmosphere, LTE, linear variation of the Planck function with the optical depth τ , and a single, characteristic layer of line formation. We then have (e.g. Mihalas, 1970, Eq. 11-51):

$$W = 2 \frac{dB/d\tau}{B_0 + dB/d\tau} \Delta v_D \int_0^\infty \frac{\eta}{1 + \eta} dv$$

where B_0 is the surface value of the Planck function, Δv_D is the height-independent Dopplerwidth, $\eta = l(\nu)/k_c$ is the ratio of the line absorption coefficient to the continuous absorption coefficient, and ν is the frequency. For weak lines this results in (Mihalas 1970, Eq. 11-53):

$$W^T(\cdot) \eta_0 \Delta v_D \frac{dB}{d\tau}$$

where η_0 is the line-center opacity ratio l_0/k_c . Our multiplication of the continuous absorption coefficient k_c by $1 + \varepsilon$ leads to:

$$W^L(\cdot) \frac{\eta_0}{1 + \varepsilon} \Delta v_D \frac{dB}{(1 + \varepsilon) d\tau} \approx \frac{W^T}{1 + 2\varepsilon}.$$

Similarly, we find $W^L(\cdot) W^T/(1 + \varepsilon)$ for lines from the flat part of the curve of growth, and $W^L(\cdot) W^T/(1 + 1.5\varepsilon)$ for lines from the damping part. Thus, the predicted line-strength correction curves start at twice the enhancement ε , drop to a minimum equal to ε , and rise again to a value of 1.5ε , independent of wavelength and excitation energy.

The actual correction curves in figure 2 follow this pattern but at much smaller values, and they vary with the wavelength and the excitation energy. These discrepancies result from the differences between the real sun and the simplifying assumptions above. The enhancement ε causes a slight increase in the mean height of formation, amounting to a few km for $\varepsilon = 10\%$. While the actual Dopplerwidth and the actual gradient of the source function are but slightly smaller at the larger height, there is an appreciable increase in η_0 , reaching up to 20%. This increase largely cancels the corrections derived above, and its variation with the wavelength and the excitation energy sets the differences between the curves of figure 2.

We show the behaviour of η_0 for iron lines in the photo-

sphere in figure 3. For all types of iron line there is a steep increase with height in the low photosphere because the line opacity scales with the hydrogen density while the continuous opacity, largely due to bound-free H^- transitions, scales with the product of the hydrogen and electron densities. The Fe II curves in figure 3 flatten out at larger heights because of the sensitivity of the Boltzmann population factor to the decreasing temperature; its effect is strongest for high-excitation lines. The Fe I curves remain steeper at first because the fraction of neutral iron atoms increases by a factor of 5 between $h = 0$ and $h = 300$ km, in contrast to the ion fraction which decreases by 13%. Above $h = 200$ km the onset of NLTE overionization produces underpopulation of the lower levels of the Fe I lines and flattens the Fe I curves, in contrast to the Fe II lines of which the lower levels have LTE populations at all heights.

The curves in figure 3 are nearly identical for different wavelengths because both $l_0(h)$ and $k_c(h)$ happen to increase linearly with the wavelength throughout the visual. However, the mean height of continuum formation increases by about 40 km between $\lambda = 400$ nm and $\lambda = 800$ nm (arrows); at longer wavelengths a less steep gradient of η_0 is sampled, resulting in larger line-strength corrections.

The behaviour of η_0 and the values of the line-strength corrections for other spectra than Fe I and Fe II will generally be very similar, so that our results hold for most lines. Significant departures will occur only if the height-dependence of the ionization balance differs strongly in the deep photosphere; for example, if the fraction of neutral atoms increases less rapidly outwards than the neutral iron fraction, the neutral-atom corrections will be closer to the Fe II corrections. This will be the case for atoms of large ionization energy.

Finally, we abandon our assumption that the continuous opacity enhancement ε is height-independent, i.e. that the unresolved blends behave as the true continuum in their formation. If we assume instead that the blends are all Fe I lines, we have to replace the opacity factor $1 + \varepsilon$ by $1 + \alpha\eta_b$, with η_b the height-dependent line-center opacity ratio of a typical Fe I blend. We have done this for various combinations of Fe I lines and Fe I blends. In each case we have adjusted the constant α so that the computed continuum ratio I_c^L/I_c^T equals the corresponding $\varepsilon = 5\%$ value in table I, to enable direct comparison with the 5% curves of figure 2. We find that for all combinations the line-strength corrections $\log(W^T/\lambda) - \log(W^L/\lambda)$ are *smaller* than in figure 2. The cause of this reduction is that the slower outward decrease of the effective continuous absorption coefficient implies that the same continuum ratio is reached already for a relatively small value of α .

The reductions are largest for weak high-excitation Fe I lines with low-excitation Fe I blends in the violet, where they reach 50% of the corrections (which are already small for such lines). The reductions are smallest for weak low-excitation Fe I lines with high-excitation Fe I blends in the red, amounting to 10%. For more realistic combinations the reductions are typically 20% for weak lines; they are smaller for stronger lines and for Fe II lines.

We conclude from these tests that the curves of figure 2 represent slight overestimations due to our choice of a height-independent factor $1 + \varepsilon$, which we nevertheless

maintain because we would need detailed specification of the blends otherwise. We have computed curves for Fe I lines as those in figure 2 for a grid of 5 wavelengths, 5 excitation energies and 7 opacity enhancements, at considerable computational expense because the implied double subtraction of nearly equal numbers requires large precision, thus finely spaced integration grids. To permit usage of these results without having to interpolate in extensive 4-parameter tables, we approximate all combined Fe I results by the adequate functional representation given in table II. It was derived with a general least-squares function-fitting program following Powell and Macdonald (1972). The tests above show that reduction by 20% is a reasonable correction for the neglect of the height-dependence of the blends, and figure 2 shows that increase by 40% represents a reasonable approximation to the Fe II corrections.

Note that for weak lines the equivalent-width corrections represent line-depth corrections as well, and that the smallness of the corrections implies that measurements directly from the true continuum would have very large errors for very weak lines. For example, measuring lines of 1% depth and 99% continuum ratio from the true continuum would be in error by 0.3 dex, whereas measurement from the local continuum without further correction would be in error by less than 0.004 dex. Thus, it is much more important to locate the local continuum precisely than to locate the true continuum precisely (which is fortunate for segmented recording, as with a cross-dispersed échelle spectrometer).

We summarize this section in the form of a recipe. If there is a difference between the true and the local background, the worst one can do is to measure equivalent widths and line depths directly from the true continuum (e.g., Elste, 1978). Measurement from the *local* continuum, however, produces quite good approximations because the corrections derived above are very small, especially for lines in the blue, at low excitation, and from a neutral atom. Application of table II to correct these measurements increases the precision. Further improvement requires detailed spectral synthesis of the unresolved blends as well as the line.

2.2 THE TRUE CONTINUUM. — We use the magnetic-tape edition of the Jungfrauoch Atlas which extends from $\lambda = 400.6$ nm to $\lambda = 800$ nm. The Atlas specifies the solar disk-center intensity at 0.2 pm intervals in arbitrary units. A compressed plot of the whole Atlas is shown in figure 4. The upward spikes in the top panel of each wavelength strip mark the continuum windows on an exaggerated vertical scale. The thick solid line in the top panels is the estimate for the true continuum specified by Ardeberg and Virdefors (1975, 1979). It is the result of their least-square piece-wise linear fits to the Atlas intensities in 83 continuum windows which are free of discernable lines, and supposedly reach the true continuum. Their determination ends at $\lambda = 686$ nm; we have extended it here to $\lambda = 800$ nm in the same spirit, although by eye rather than per computer. Table III specifies the junction points of the complete polygon.

Ardeberg and Virdefors assume that their continuum windows sample the possible variations of the true continuum and of the instrumental response well enough.

However, this is not the case because the window separations often exceed the lengths of the original Atlas data segments, which were each straightened, connected to the adjacent segments, and normalized in somewhat arbitrary manner by Delbouille *et al.* The problem of how to patch short segments together is inherent to the use of a spectrum-scanning spectrometer; it vanishes when a broad-band Fourier Transform spectrometer is used. In figure 5 we compare the Jungfrauoch Atlas to data taken with the Kitt Peak FTS in the setup described by Brault (1978, example 2), for the region of overlap. The FTS data are shown reversedly on top; each of the two data sets was normalized to a straight line (dotted) through the two marked peaks. The true continuum is not known, but for this short wavelength range it should be nearly linear. Irrespective of the location and the tilt of the true continuum, figure 5 should be symmetrical with respect to the two dotted lines. It is not; there are deviations over 1%. Since the FTS continuum is straight, these are due to the varying tilts of the individual Atlas segments, of which the junctions are indicated. The true Atlas continuum will therefore be a polygon of segments with lengths of about 1 nm, varying much more rapidly than the extended Ardeberg-Virdefors continuum of figure 4 and table III.

Another issue is whether the windows employed are indeed fully free from lines. Ardeberg and Virdefors (1979) warn that the good consistency of their fit in the violet does not guarantee that it represents the truly continuous background, although they then proceed to use it as such; here, we assume that it severely underestimates the line haze in the violet, notwithstanding the high spectral resolution of the Jungfrauoch Atlas. We base this view on the studies by Holweger (1970) and by Vernazza, Avrett and Loeser (1976). In particular, figure 26 of the latter paper shows a «*k* = 2» model, based on the theoretical line-opacity distribution functions of Kurucz, Peytremann and Avrett (1974), which fits the peak intensities of Labs and Neckel (1970) well. Figure 3 of the same paper indicates that the corresponding line-haze opacity amounts to 10% of the line-free continuous opacity near $\lambda = 400$ nm and to 1% near $\lambda = 500$ nm at the height of continuum formation. The corresponding intensity reductions, respectively 7% and 0.6%, are smaller than Holweger's (1970) estimate from older data, but they agree well enough and they are large enough that they should not be ignored.

We summarize this section in the form of a desideratum. While the Jungfrauoch Atlas represents a major improvement over the Utrecht Atlas, the ultimate solar intensity atlas has yet to appear. It should not only be of high spectral purity, but also solve the segmentation problem by broad-band measurement and the line-haze problem by having an absolute intensity scale, enabling direct comparison to computed models. Obviously, the Kitt Peak FTS is the prime instrument to achieve this goal.

3. The clean lines.

3.1 LINE SELECTION. — We have scanned the Jungfrauoch Atlas for clean lines with a computer program which detects spectral lines, rejects them if they fail various cleanliness criteria, modifies them if slight blends appear present, and measures various profile parameters.

The smoothness of the Atlas data permits detection of a spectral line simply by defining a line as the Atlas segment between two successive maxima I_c^1 and I_c^2 (Fig. 1). We reject lines in the following cases:

- (a) if one or both of the maxima has $d > 0.03$ where $d = (I_c^{AV} - I_\lambda)/I_c^{AV}$ measures the fractional depth from the extended Ardeberg-Virdefors continuum in table III;
- (b) if the two maxima differ more than 0.01 in d ;
- (c) if the lowest of the two maxima has $d > 0.5 D$, with D the value of d at the minimum;
- (d) if $\log(W/\lambda) < -7$;
- (e) if the wavelength shift between the normalized first moments of the whole profile and of the lower part with $d \geq 0.7 D$ exceeds $1.0 \lambda/500$ pm;
- (f) if the wavelength shift between the location of the minimum and the normalized first moment of the lower part exceeds $0.25 \lambda/500$ pm.

We so reject all lines with resolved blends (criteria *a-c*), and all lines with unresolved blends that cause noticeable deformations (criteria *e* and *f*). This automatically ensures selection of weaker lines only, because there are no lines stronger than $\log(W/\lambda) = -4.6$ without blends.

For the line identifications we accept the entries in MMH. We reject the line if there is no entry in MMH within 3 pm of the line-center wavelength, or if there are multiple entries; we also reject the line if it is identified as telluric or molecular, if there is no excitation energy given, or if the line is marked as blended.

Inspection shows that the majority of the lines so selected still has small asymmetries, mostly in the wings. While some asymmetry should be present due to convection (see Dravins *et al.*, 1981), much of it is often clearly due to a nearby line affecting one wing. We have therefore used only the half of the profile with the highest maximum of all lines for which the two maxima differ by more than 0.003 in d , or for which the wavelength shift between the first moments of the whole profile and of the lower part differs by more than $0.25 \lambda/500$ pm.

Finally, we have divided the measured area of each line by the area of a gaussian profile with the same halfwidth and plotted the ratio against the line strength (plot not shown). Lines with an unresolved blend in their core have too small a ratio compared to the average trend, while lines with an unresolved blend in a wing have too large a ratio. We have deleted all lines outside the 90% confidence limits of a least-square fit.

In table IV we specify the results for the remaining lines, of which there happen to be precisely 750. The line wavelength (first column) is the value of the normalized first moment of the lower part of the profile in Atlas units. The identification (spectrum and multiplet number) is from MMH. The parameter «mode» is W for the 154 really clean lines of which the whole profile was used, B if only the blue half and R if only the red half was used. The line depth D^L is measured from the local continuum I_c^L , defined at the intensity of the highest of the two maxima (Fig. 1). The halfwidth at half maximum FWHM is measured in pm at $0.5 D^L$. The local line strength $\log(W^L/\lambda)$ was found by applying trapezoidal integration to the Atlas profile between the two maxima, or between the minimum and the

highest maximum for the halved lines ; the latter values were doubled.

To obtain the true line strengths $\log(W^T/\lambda)$ in the last column we have applied background corrections following section 2. By defining I_c^L at the highest adjacent maximum, we assume that the Jungfrauoch Atlas fully resolves the background windows as they are present in the incident solar spectrum. We further assume that the extended Ardeberg-Virdefors continuum I_c^{AV} represents the true continuum I_c^T in Atlas units above $\lambda = 550$ nm, but underestimates it by 0.6 % at $\lambda = 500$ nm and by 7 % at $\lambda = 400$ nm, respectively ; we have interpolated these line-haze deficits by cubic spline for intermediate wavelengths. We also assume that the resulting ratio I_c^L/I_c^T , specified in the next-to-last column, is constant over the line profile ; this is a fair assumption in view of our line-selection and line-halving criteria. The corrections were found by entering the continuum ratio I_c^L/I_c^T , the local line strength, the wavelength and the excitation energy (from MMH) in the approximation of table II. The result was decreased by 20 % for all lines, and increased again by 40 % for all ion lines. Thus, we have corrected all lines as if they were iron lines of the corresponding ionization stage, and blended by typical Fe I blends.

The number of lines per spectral species is specified in table V. Iron supplies half of the total, demonstrating that, with so many lines free from blends and free from hyperfine structure, iron is the prime provider of optical diagnostics. Note, however, that MMH count 2300 unblended Fe I lines between $\lambda = 400$ nm and $\lambda = 800$ nm. Only a minor fraction is here qualified « clean », and most of these are yet slightly blended.

3.2 EQUIVALENT WIDTHS. — We compare the equivalent widths of the 750 clean lines and their corrections with those of MMH in figure 6, against line strength (left) and wavelength (right). We first discuss the top panels. They show our corrections $\Delta_{JJ} \equiv \log(W_{JJ}^T/\lambda) - \log(W_{JJ}^L/\lambda)$. These are positive because we apply background corrections only (the two negative values are for lines which happen to have $I_c^{AV} < I_c^L$) ; corrections for single blends are implicitly present by our use of half profiles for asymmetric lines. The latter are shown by dots, the 154 whole-profile lines by crosses.

The lines are well distributed over line strength and wavelength ; although there are many more lines to choose from in the blue, these are also more often rejected. The $\log \lambda$ panel shows the effect of the line-haze correction at left. There is also a slight increase in spread at right, where the continuum ratio I_c^L/I_c^T tends to be close to unity (Fig. 4) ; it is due to the increase of the background corrections with wavelength, for a given continuum ratio. The scatter does not reach the full range of figure 2 because the selection and halving criteria above pass only smaller background deviations. The corrections are very small. The exact location of the true continuum is therefore not very important ; the deficiencies of the Ardeberg-Virdefors continuum and the uncertainty in the size of the violet line haze do not strongly affect our results below.

The middle panels show the corrections of MMH. These are the differences $\Delta_{MMH} \equiv \log(W_{MMH}^T/\lambda) - \log(W_{MMH}^L/\lambda)$ as specified by them : W_{MMH}^L is given in column 2 of MMH

in mÅ, W_{MMH}^T/λ in column 3 in Fraunhofer ; we have converted these into the logarithmic line strengths used here. There are two different groups of lines. The wedge-shaped concentration aligned with $\Delta_{MMH} = 0$ in the lefthand panel represents lines with small or no explicit MMH corrections ; the widening of the wedge towards the left is primarily due to the 0.1 Fraunhofer discretization of the W_{MMH}^T/λ values.

The lines outside the wedge have large explicit MMH corrections. These must have resulted from the mixture of background corrections, blend corrections and the weighted averaging with other values from the literature described in section 2 and 3 of MMH (see also Houtgast and Minnaert, 1951). Positive and negative corrections occur about equally. The positive corrections may have been for background errors, for which MMH used a correcting procedure in principle like ours (their Fig. 5 shows properties of the curves in Fig. 2). The negative corrections may have been for recognised blends, candidates being the slight blends in the lines which we have halved. However, there is no correlation between the MMH corrections and our background corrections (plot not shown), there is no clear distinction between the dots and the crosses, and the size of the MMH corrections is an order of magnitude larger than ours (note the difference in vertical scale). We show below that most of these large MMH corrections for clean lines have probably resulted from the averaging with other determinations. Their increase in number towards the right illustrates that the stronger lines were better covered in the literature at the time.

The $\log \lambda$ panel (middle right) shows a pattern of slanted lines also due to the coarse MMH discretization for the weakest lines. The stronger lines show a predominance of negative corrections in the red part of the spectrum.

The bottom panels show the differences between the corrected MMH values and our corrected values. They represent to a large extent a direct display of MMH errors, owing to the superior quality of the Jungfrauoch Atlas. Their spread decreases from about 0.6 dex for the weakest lines to 0.2 dex ($\pm 25\%$) for the stronger lines (lefthand panel). The spread in the errors is twice the spread in the MMH corrections above ; however, the latter have helped : a similar plot with the uncorrected values (not shown) has appreciably larger dispersion at right.

All weak lines at left are arranged in a slanted fringe pattern which is again due to the MMH discretization. Its spacing decreases from 0.3 dex (100 %) at lower left until it is no longer traceable near $\log(W/\lambda) = -5.5$.

There are a slight predominance of positive errors at left and of negative errors at right, which affect the mean and will therefore affect abundance values determined from MMH equivalent widths ; the best lines are those between $\log(W/\lambda) = -5.5$ and $\log(W/\lambda) = -5.0$.

The $\log \lambda$ panel (bottom right) shows properties noted also in figure 9 of paper RZ but left unexplained there : an upward spread, and a mean dip at $\log \lambda = 2.80$. Comparison with figure 9 RZ shows that the pattern includes also another dip at $\log \lambda = 2.83$, a mean hump around $\log \lambda = 2.85$, and an upward spike at $\log \lambda = 2.68$. The similarity confirms the conclusion by RZ that the deviations from the Fe I curve of growth plotted there are primarily due to errors in the MMH values. The upward

spread is now seen to be due to the weakest lines (bottom-left panel); the spike-dip-dip-hump wavelength pattern consists of stronger lines. The pattern is yet clearer in a similar plot (not shown) with the uncorrected MMH line strengths; it is also present in the MMH corrections (middle-right panel), but upside-down and at smaller amplitude. This indicates that the pattern must be attributed to the MMH equivalent-width measurements $W_{\text{MMH}}^{\text{L}}$, and that the MMH corrections have partially erased it.

In figure 7, we plot the MMH corrections Δ_{MMH} against what they should have been, for the stronger lines with $\log(W/\lambda) > -5.5$ only. The dots show a clear trend with slope 0.5, showing that their MMH corrections should have been about twice their actual MMH value. The dots represent the lines for which MMH averaged their measurement $W_{\text{MMH}}^{\text{L}}$ with other values from the literature, prior to applying their background and blend corrections. The other lines (crosses) cluster around $\Delta_{\text{MMH}} = 0$, showing that the latter corrections were generally small, as they indeed should for clean lines; note, however, that the *errors* range over 0.2 dex. Assuming that the MMH background and blend corrections were small also for most of the lines represented by dots leads to the conclusion that the trend results from the averaging alone. It then follows that many of the values from the literature used in the MMH weighting were actually much better than the MMH measurements.

Finally, we have identified four deviating lines in figure 7. The first three are marked as blended in MMH; they have nevertheless passed our rejection criteria because the blends are separated by more than 3 pm.

4. The clean Fe I lines.

4.1 THE NLTE FORMATION OF HIGH-EXCITATION FE I LINES. — We now discuss only the lines of table IV which are due to Fe I and for which *gf* values have been published by the Kiev workers (Gurtovenko and Kostik, 1981; 302 lines) or by the Oxford group (Blackwell *et al.*, 1982, and references therein; 14 lines). The Oxford *gf*-values are precise laboratory measurements. The Kiev *gf*-values are based on empirical LTE fits of the depths of the lines in the Jungfraujoch Atlas. They offer the advantage of supplying just the lines needed; their disadvantage is that they are subject to modelling errors, most notably the erroneous assumption of LTE. Nevertheless, their quality is surprisingly good; this has been explained in paper RK (for a summary see Rutten, 1983).

In the meantime, Wiese (1983) has shown that the Kiev *gf*-values are appreciably too large above $\log gf = -1$, continuing the trend already indicated above $\log gf = -2$ in figure 1 RZ. This result is of special interest because it settles the issue of the formation of high-excitation Fe I lines, which we briefly elaborate here.

The most-probable Fe I transitions ($\log gf > -1$) in the visible are also the strongest high-excitation lines in the solar spectrum, with upper levels at $\chi = 5.5\text{--}6.7$ eV (Fig. 3 RK and Fig. 2 RZ). The excesses of their Kiev *gf*-values imply that their source functions drop below the Planck function, confirming inferences in papers RK and RZ and the theoretical predictions by Athay and Lites (1972) and Lites (1972). The reason is simply that the strongest lines at high excitation are weak enough to

« feel » the solar surface already in the photosphere, in contrast to the much stronger large-*gf* lines at low excitation which maintain the excitation balance up to the chromosphere. On the other hand, the large-*gf* high-excitation lines are still strong enough that their photon losses, rather than the continuous processes, set their upper-level populations and the populations of nearby collisionally-coupled levels. These high-level populations are apparently not coupled strongly to the LTE population of the Fe II ground state, presumably not collisionally because the energy difference yet exceeds 1 eV (Fig. 2 RZ) and not radiatively because most levels ionize to a much higher Fe II parent term. (If the high Fe I levels had LTE populations, the source functions of the high-excitation lines would *exceed* the Planck function and the Kiev *gf*-values would be too small).

Thus, the important processes in Fe I are the radiative overionization shared by all levels, and the underexcitation due to photon losses in the most-probable transitions per upper-level excitation bin; the latter departures start deeper if the most-probable lines in a bin are weaker. Photon losses affect the *photospheric* populations therefore only for high levels. As a result, *all* photospheric Fe I lines have opacity deficits compared to LTE predictions, but the stronger high-excitation lines have source function deficits as well. This clarifies claims, based on the apparent self-consistency of LTE modelling, that high-excitation lines are closer to LTE than low-excitation lines (e.g., Ruland *et al.*, 1980). For the sun the reverse is true; but, misleadingly, the decreases in line depth caused by the NLTE opacity deficits are partially cancelled by the NLTE source function deficits for high-excitation lines and not for low-excitation lines. However, if the opacity deficits are already cancelled by the adoption of an opacity-shifted NLTE-masking photospheric model, the high-excitation source function deficits yet stand out. This is the case for the Kiev line-depth fits, which are based on the Holweger-Müller (1974) model; for both the sun and Pollux, adoption of a Bell *et al.* (1976) model leads to similar masking (Fig. 1 RK; Ruland *et al.*, 1980).

4.2 THE Fe I CURVE OF GROWTH. — In figure 8 (top) we show curves of growth constructed for the 316 clean Fe I lines following the NLTE recipe of paper RZ. The abscissae measure $\log X = \log gf - (\log gf_6 + 6)$. The normalization term $\log gf_6$ was determined for each line from its wavelength and lower-level excitation energy by double cubic-spline interpolation in table 1 RZ.

The curve on the left is for the corrected MMH line strengths (column 3 of MMH). It represents a subset of the curve of growth of paper RZ for the clean lines only. It does not reach the damping part because there are no stronger lines fully free from blends. The MMH discretization is apparent at the lower left.

The spread is shown in detail in the lefthand bottom panel of figure 8. The ordinate ΔX measures the horizontal deviation of each point of the empirical curve in the top panel from the standard $\lambda = 550$ nm theoretical curve of paper RZ, similarly to figure 7 RZ. Deviations to the left are taken positive. The spread is smallest for $-5.5 < \log X < -5.0$; it increases towards both sides.

The panels on the right are the corresponding plots

using our corrected line strengths of table IV. The curve of growth (top panel) is of appreciably better quality. The spread (bottom panel) is again smallest for $-5.5 < \log X < -5.0$; it is here about three times better than in the lefthand panel. The butterfly pattern of increasing scatter left and right is yet clearer; we analyse each wing separately.

4.3 THE SPREAD OF THE WEAK LINES. — Below $\log X = -5.5$ there is an increase of the spread for the weakest lines, but only downwards; it reaches as much as -0.3 dex. This part of the curve of growth has no predicted forkings since the normalization terms $\log gf_6$ neutralize its dependence on wavelength and excitation energy explicitly. Our equivalent-width determinations are better than 0.02 dex for unblended lines and quasi-continuous blending, while single, yet uncorrected blends cause upward shifts; thus, we seek positive errors in some particular Kiev gf -values exceeding their typical spread of 0.1 dex. The erroneous values are all for less-probable lines (triangles), without the NLTE error discussed above.

It turns out that these large deviations for weak lines are simply due to a measurement error: Gurtovenko and Kostik have apparently measured the line depths directly from the nominal $I = 100$ level of the graphical Jungfrauoch Atlas, instead of measuring them from the local continuum and applying background corrections $D^T - D^L$. In addition, the Atlas $I = 100$ level is probably higher than the true continuum, except in the violet (Fig. 4). These line-depth errors have translated directly into the gf errors measured by ΔX , because the Kiev gf -value of a weak line scales linearly with the adopted line depth.

Figure 9a illustrates this diagnosis. It shows the deviations of all lines on the Doppler part of the curve of growth against $\log(D^T/D^{JJ})$. D^{JJ} is the line depth measured from the Atlas $I = 100$ level; D^T is the « true » line depth found from our local depth D^L by adopting the same true continuum as in section 3.1, and applying corrections $D^T - D^L$ derived from table II. ($D^T/D^L = W^T/W^L$ for weak lines.) There is a clear correlation; the slope of the dashed fit is nearly unity, proving that indeed the nominal $I = 100$ level was used. The fit has $\Delta X = -0.01$ for $D^T = D^{JJ}$; this systematic offset from the RZ theoretical curve of growth is an error of the latter, caused by the predominance of positive MMH errors for the weak lines evident in the bottom-left panel of figure 6.

In addition, there are a few weak lines with large positive deviations; they are identified in figure 8.

4.4 THE SPREAD OF THE STRONG LINES. — Figure 9b shows the ΔX values of all lines with $\log X > -4.8$ against $\log \lambda$. These are all from the flat part of the curve of growth and have various dependencies and errors. The predicted flat part depends sensitively on the adopted microturbulence and has appreciable wavelength and damping forkings. The wavelength forking causes offsets ranging from $+0.2$ dex at left to -0.3 dex at right. The damping forking should cause upward offsets for strong lines with large orbitals (large symbols). The most-probable Kiev lines (circles) should have downward NLTE-error offsets. The Kiev background error diagnosed

above for the weakest lines is negligible for lines of intermediate strength, but it affects the strongest lines also because line-core saturation makes the fitted gf -value very sensitive to small errors in the measured line depth (see Fig. 8 of Gurtovenko and Kostik); this error also causes downward offsets. Finally, some lines may have upward offsets due to uncorrected blends.

The confusion arising from these offsets is smallest for the Oxford lines (crosses), which have small gf errors and orbitals and should display primarily the wavelength forking. The dashed curve is a least-square fit through these 12 lines only; it does indeed mimic the predicted wavelength forking (Fig. 7 RZ), except that it is displaced by about -0.07 dex. The Kiev lines show much more scatter, but follow the predicted offsets by and large; the best lines (small triangles) appear to have a smaller downward offset than the Oxford lines.

4.5 RECALIBRATION OF THE KIEV gf -VALUES. — We attribute the difference between the Oxford lines and the best Kiev lines in figure 9b to an error in the absolute calibration of the Kiev gf -values. Gurtovenko and Kostik have put their gf values on the Oxford absolute scale by adjusting the average of 21 lines of overlap. Lines with the NLTE error, lines with the background error and line-core blends have all, if present, contributed too large values to this average, resulting in underestimation for the correct Kiev lines. In figure 10 we replot the current set of 50 lines of overlap shown also in figure 1 RZ, again excluding $\lambda 499.41$ and $\lambda 772.32$. We have inspected these lines in the Jungfrauoch Atlas and measured line depths and equivalent widths for the best half of each line as in section 3.1. The plusses in figure 10 mark lines the core of which is clearly affected by a nearby blend; the crosses mark the only weak lines in this sample, both showing the background error; the triangles mark NLTE-error lines with $\log gf > -2.0$. The abscissa is a measure of the strong-line background error, the core saturation being measured by $X/(W/\lambda)$.

The plusses, crosses, triangles and the two dots at right all appear to be displaced downward in accordance with their assorted errors; taking the mean over the remaining lines leads to a revision of the absolute scale of the Kiev gf -values by $+0.03 \pm 0.02$ dex. Together with the -0.01 dex offset of the fit in figure 9a, an offset of -0.04 dex results for the Oxford lines from the RZ theoretical curve of growth, which was shifted to fit the weak-line MMH line strengths to the Kiev gf -values. The mean offset of the 12 Oxford lines in figure 9b is somewhat larger, perhaps implying correction of the microturbulence adopted by RZ.

4.6 THE SOLAR IRON ABUNDANCE. — The iron abundance enters through the normalization terms gf_6 which are inversely proportional to the value adopted in their computation; the value used by RZ is $A_{Fe} = N_{Fe}/N_H = 4.73 \times 10^{-5}$. The ΔX values of figures 8 and 9 represent direct corrections to this number, provided that the other factors have been eliminated.

We refrain from using the strong lines. Accepting the fit in figure 9a and the recalibration derived from figure 10 leads to an average correction of -0.04 dex. We therefore

revise the solar iron abundance to $A_{\text{Fe}} = (4.3 \pm 0.5) 10^{-5}$, or $A_{\text{Fe}}^{12} \equiv \log A_{\text{Fe}} + 12 = 7.63 \pm 0.04$, maintaining the RZ error estimate. For consistency all values of $\log gf_6$ in table 1 RZ should be increased by 0.04.

4.7 OSCILLATOR STRENGTHS OF WEAK Fe I LINES. — In table VI we provide new estimates for the oscillator strengths of the 258 Fe I lines present in table IV that have $\log(W/\lambda) < -5.2$; these include 39 new lines not measured at Kiev or Oxford. We have determined their gf values by evaluating the three theoretical curves of growth given in figure 6a RZ for the measured line strength and interpolating to the line wavelength by cubic spline. The values have been shifted to the Oxford absolute scale over the + 0.04 dex correction found above.

Thus, the gf values in table VI are based on our measured line strengths and on the assumption that Lites' NLTE modelling of the Fe I spectrum, which has been confirmed in papers RK and RZ in general, is precisely correct. These gf values are therefore quite similar to the empirical Kiev determinations in origin, but they should be of better precision because we have explicitly included background corrections and NLTE departures. However, they are yet subject to the remaining blends and the remaining modelling errors; we suspect that the simplified description of the solar granulation by micro- and macro-turbulence is the worst of the latter.

5. Conclusion.

We have supplied consumer reports on the quality of the Jungfrauoch Atlas (Figs. 4 and 5), of the MMH equivalent widths (Figs. 6 and 7) and of the Kiev gf -values (Figs. 9 and 10); we have further supplied a detailed recipe for background corrections (Table II), a list of 750 clean solar lines (Table IV), a list of 258 Fe I gf -values (Table VI) ⁽²⁾, the best-ever solar curve of growth (Fig. 8), and, traditionally, a new value for the solar iron abundance. We intend to compile a companion list of the same clean lines as measured in the solar flux spectrum (Rutten and van der Zalm, 1984, vol. 55, n° 2).

We now summarize our results in a wider context, together with those of papers RK and RZ. We do this because the solar spectrum and the Fe I spectrum are the best-observed spectra of all stellar spectra and of all metal spectra respectively, and because Fe I is also the spectral species best represented in the solar spectrum (Table V). An analysis of solar Fe I lines therefore represents a feasibility study for analyzing other cool stars and other metals, making it appropriate to summarize this series of papers on solar Fe I in the context of stellar abundance determination in general. Following the model of a feasibility study we pattern the discussion on different levels of desired precision, namely 100 % (0.3 dex), 25 % (0.1 dex) and 5 % (0.02 dex). These are defined per line; averaging over many lines may help but only if there are no systematic

errors, which is difficult to ascertain if the desired precision is not reached per line.

We first discuss the issue of *observational stellar data*. Conventional photographic spectrography of MMH-like quality yields line strengths with errors of 0.3 dex for the weakest lines (Fig. 6). The stronger lines are better, but above $\log(W/\lambda) = -5.2$ they are increasingly spoiled by the various forkings of the curve of growth (Fig. 8 and Fig. 6 RZ). The best unbiased lines are near $\log(W/\lambda) = -5.5$; they have errors of about 0.1 dex (Fig. 6 bottom and Fig. 8).

Digital photoelectric spectrometry of Jungfrauoch Atlas quality yields line strengths better than 0.02 dex for clean lines. The main problem is the continuum location. The true continuum is not easily found (Figs. 4 and 5), and it is completely hidden where unresolved blends combine into a line haze (Sect. 2.2); however, the background corrections are small (Fig. 6 top). Proper location of the local continuum is more important (Fig. 9a); this requires sufficient spectral purity. For dirtier lines the extraction of blends requires detailed spectral synthesis to reach 0.02 dex precision.

The next issue is the *description of the line formation*. For Fe I and similar spectra, simple LTE curve-of-growth interpretation suffices for a precision of 0.3 dex, but 0.1 dex requires correction of the departures from LTE in the ionization equilibrium (Fig. 3 RZ). A satisfactory shortcut is to use a single set of height-dependent population correction factors for all levels if one omits the strongest high-excitation lines (Sect. II RK). A further shortcut in solar analyses is to assume LTE and the NLTE-masking photospheric model of Holweger and Müller (1974) (Paper RK and Fig. 3 RZ). In stellar analyses adoption of a theoretical LTE-RE model from the compilation by Bell *et al.* (1976) may constitute a similar shortcut (Fig. 1 RK; Ruland *et al.*, 1980).

A precision better than 0.02 dex requires detailed modelling of individual line profiles, full solution of the radiative transfer and population equations for many lines and levels, and adoption of a realistic empirical model of the atmosphere. Furthermore, the questionable description of motions and inhomogeneities by turbulence, the formalisms of collisional damping, and the details of frequency redistribution should then receive full consideration. The outstanding example remains Lites' (1972) thesis, on which these papers are based.

The final issue concerns the *laboratory data*. We consider only the line transition probabilities, neglecting all other cross-sections needed in comprehensive modelling. A major result of these papers is that the empirical Kiev determinations are highly useful. They combine 0.1 dex precision [except for the weakest and the strongest lines (Figs. 9 and 10), and for the most-probable lines (Sect. 4. 1)] with the important virtue of supplying precisely the weak lines needed in abundance studies. We have revised their absolute calibration; improved values are given in table VI for the weak lines.

Better than 0.02 dex precision is reached in the Oxford laboratory data, which complement the Kiev lines with the stronger lines (Fig. 4 RZ). These are precisely the lines needed in comprehensive model-atom setups.

⁽²⁾ Copies of these tables on magnetic tape or punched cards can be obtained from E.v.d.Z.

To sum up, the desired precision divides the three issues naturally in three recipes. The classical basis (photographic line strengths, LTE, older gf values) is good for 0.3 dex. For 0.1 dex one has to combine photoelectric line strengths of weak lines with Kiev-type gf -values in a NLTE curve of growth. Finally, 0.02 dex requires full NLTE modelling of detailed profiles of strong lines and Oxford-type gf -values. *It is not worthwhile to spend*

effort on one issue without seeking the concomitant sophistication in the others.

Acknowledgements.

We thank Drs. C. Zwaan and A. Schadee for suggestions and for comments on the paper.

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TABLE I. — Computed continuum ratios I_c^L/I_c^T as function of the continuous opacity increment ε and the wavelength λ (nm).

$\frac{\varepsilon}{\lambda}$	0.02	0.03	0.05	0.075	0.10	0.15
400	0.9854	0.9783	0.9644	0.9746	0.9315	0.9010
500	0.9882	0.9824	0.9711	0.9575	0.9444	0.9196
600	0.9902	0.9855	0.9762	0.9649	0.9541	0.9336
700	0.9917	0.9877	0.9798	0.9702	0.9610	0.9535
800	0.9928	0.9892	0.9823	0.9740	0.9659	0.9507

TABLE III. — Extended Ardeberg-Virdefors continuum I_c^{AV} for the Jungfrauoch Atlas, specified by the wavelengths (nm) and intensities (Atlas units) of the polygon junction points.

Wavelength	Intensity	Wavelength	Intensity
400.600	9903.3	620.061	9919.0
431.722	9919.0	645.324	9912.5
445.477	9919.0	686.000	9910.2
460.736	9936.6	700.040	9888.0
474.087	9913.8	702.950	9889.3
482.270	9933.0	746.790	9885.8
493.309	9934.9	773.830	9892.5
507.382	9922.7	800.000	9892.5
537.125	9931.7		
544.225	9928.3		
565.012	9954.9		
579.751	9928.4		
594.036	9929.5		
603.296	9946.2		
611.472	9939.5		

TABLE II. — Functional approximation to all Fe I background-correction curves. The correction

$$\Delta x_1 = \log(W^T/\lambda) - \log(W^L/\lambda)$$

is given by :

$$\Delta x_1 = c_7 - 0.5 c_5 \tanh(c_1(x_1 - c_2)) + 1 - c_6 \exp(((x_1 - c_3)/c_4)^2)$$

where, for $i = 1, \dots, 7$:

$$c_i = a_i + b_i x_4,$$

$$a_i = d_{i,1} + d_{i,2} x_2 + (d_{i,3} + d_{i,4} x_2) x_3,$$

$$b_i = d_{i,5} + d_{i,6} x_2 + (d_{i,7} + d_{i,8} x_2) x_3.$$

The coefficients $d_{i,j}$ are given below ; the variables x_i are the observed parameters, respectively : $x_1 = \log(W^L/\lambda)$, $x_2 =$ wavelength λ in nm, $x_3 =$ lower-level excitation energy χ in eV, $x_4 =$ continuum ratio I_c^L/I_c^T .

$d_{i,j}$	j = 1	j = 2	j = 3	j = 4	j = 5	j = 6	j = 7	j = 8
i = 1	3.549	-1.545E-3	-3.593E-1	5.429E-4	-2.297	2.800E-3	5.010E-1	-7.405E-4
i = 2	-4.745	-2.129E-3	-4.342E-2	-2.927E-5	-6.142E-1	1.376E-3	3.250E-2	8.134E-5
i = 3	-4.605	-1.145E-3	6.874E-3	-5.474E-5	-2.610E-1	7.973E-4	9.335E-3	2.374E-5
i = 4	3.273E-1	9.203E-5	7.870E-3	-1.061E-5	4.227E-2	-5.519E-5	-1.357E-2	2.052E-5
i = 5	-1.082E-2	5.765E-5	-8.471E-3	5.836E-5	1.084E-2	-5.777E-5	8.426E-3	-5.835E-5
i = 6	-6.903E-2	2.527E-4	4.450E-3	2.056E-5	6.899E-2	-2.529E-4	-4.481E-3	-2.054E-5
i = 7	-2.801E-1	1.047E-3	-1.041E-2	1.385E-4	2.798E-1	-1.048E-3	1.031E-2	-1.385E-4

TABLE IV.

Wavelength	Ident	Mode	D ^L	FWHM	log(W/λ)	$I_{\lambda}^L/I_{\lambda}^T$	log(W/λ)	Wavelength	Ident	Mode	D ^L	FWHM	log(W/λ)	$I_{\lambda}^L/I_{\lambda}^T$	log(W/λ)
401.3232	Ti Ip	186	W	0.097	5.82	-5.806	0.9279	-5.794							
402.1332	Nd II	36	B	0.225	4.69	-5.544	0.9269	-5.533							
404.1913	Fe I	602	B	0.175	5.29	-5.615	0.9244	-5.600							
404.2583	Ce II	140	B	0.199	4.79	-5.597	0.9341	-5.586							
405.0323	Zr II	43	B	0.367	5.35	-5.267	0.9368	-5.258							
406.0266	Ti I	80	W	0.561	5.94	-5.039	0.9356	-5.033							
408.5720	Zr II	54	R	0.065	5.07	-6.075	0.9159	-6.058							
409.1556	Fe I	357	W	0.765	6.77	-4.845	0.9410	-4.837							
419.4490	Fe I	274	W	0.278	5.65	-5.395	0.9383	-5.384							
426.5920	Mn I	23	B	0.720	7.60	-4.854	0.9381	-4.845							
426.6208	Ti I	252	R	0.102	5.95	-5.821	0.9393	-5.808							
428.1374	Ti I	44	B	0.377	5.76	-5.248	0.9327	-5.240							
428.1594	Fe Ip	171	B	0.115	5.24	-5.819	0.9341	-5.806							
431.9445	Fe I	214	B	0.214	5.90	-5.503	0.9434	-5.492							
434.9787	Ce II	59	W	0.085	6.05	-5.888	0.9557	-5.878							
436.4886	Cr I	153	B	0.015	5.86	-6.691	0.9524	-6.678							
439.2302	Fe Ip	757	R	0.094	7.95	-5.717	0.9461	-5.704							
441.0523	Ni I	88	R	0.616	7.94	-4.869	0.9558	-4.862							
441.3392	Fe Ip	1046	B	0.089	7.99	-5.760	0.9629	-5.750							
443.9639	Fe I	515	W	0.275	6.00	-5.383	0.9560	-5.374							
443.9887	Fe I	116	W	0.661	6.77	-4.954	0.9574	-4.948							
444.1271	Ti I	160	W	0.104	5.38	-5.877	0.9481	-5.867							
444.4393	Ce II	19	B	0.055	4.73	-6.218	0.9542	-6.207							
444.5476	Fe I	2	R	0.572	5.81	-5.087	0.9537	-5.083							
444.6392	Nd II	49	B	0.171	5.15	-5.674	0.9577	-5.665							
445.0091	Ni I	178	W	0.054	5.32	-6.168	0.9458	-6.153							
446.5809	Ti I	146	W	0.493	6.39	-5.076	0.9544	-5.070							
447.0482	Ni I	86	B	0.793	9.66	-4.723	0.9586	-4.715							
448.5971	Fe Ip	825	W	0.258	6.29	-5.400	0.9621	-5.391							
449.1658	Cr I	95	R	0.277	6.76	-5.340	0.9569	-5.332							
449.1850	Cr I	83	W	0.140	6.10	-5.691	0.9589	-5.681							
449.2307	Cr I	197	B	0.339	6.88	-5.238	0.9655	-5.231							
450.4212	Fe Ip	988	B	0.025	6.25	-6.423	0.9689	-6.414							
450.5919	Y I	24	R	0.021	6.91	-6.481	0.9671	-6.474							
451.2272	Ga I	24	R	0.273	7.24	-5.303	0.9662	-5.297							
451.2740	Ti I	42	B	0.761	7.94	-4.822	0.9663	-4.818							
451.2994	Ni I	163	R	0.246	6.85	-5.367	0.9669	-5.360							
451.8027	Ti I	42	R	0.794	8.04	-4.787	0.9647	-4.782							
452.3079	Ce II	2	k	0.173	6.12	-5.565	0.9615	-5.556							
452.3404	Fe I	829	R	0.536	6.96	-5.029	0.9654	-5.023							
454.3223	Fe Ip	893	R	0.046	6.03	-6.183	0.9620	-6.172							
454.6470	Fe I	1047	B	0.083	6.23	-5.885	0.9578	-5.872							
454.8768	Ti I	42	R	0.787	7.87	-4.811	0.9559	-4.805							
455.1650	Fe I	972	B	0.552	6.57	-5.269	0.9590	-5.260							
455.6929	Fe I	638	R	0.328	6.64	-5.244	0.9622	-5.237							
456.0715	V I	109	B	0.118	6.21	-5.763	0.9659	-5.755							
456.2632	Ti I	7	R	0.149	6.16	-5.627	0.9718	-5.623							
456.3423	Ti I	266	R	0.132	6.80	-5.676	0.9566	-5.666							
456.6025	Fe Ip	1169	R	0.008	6.42	-6.840	0.9678	-6.829							
456.7410	Ni I	102	W	0.042	6.78	-6.161	0.9699	-6.153							
457.4220	Fe I	554	R	0.480	7.20	-5.065	0.9696	-5.060							
457.5111	Cr I	196	B	0.129	6.57	-5.699	0.9700	-5.691							
459.2052	Cr II	44	B	0.521	8.53	-4.980	0.9718	-4.973							
459.3528	Fe I	971	W	0.339	7.03	-5.221	0.9715	-5.215							
460.7087	Fe Ip	724	W	0.047	6.16	-6.165	0.9717	-6.157							
462.2747	Cr I	81	B	0.245	6.81	-5.412	0.9541	-5.402							
462.5919	Cr I	244	R	0.154	6.81	-5.609	0.9562	-5.597							
462.9067	Zr II	139	B	0.041	6.26	-6.228	0.9693	-6.217							
463.0779	Fe I	969	W	0.043	5.67	-6.242	0.9668	-6.232							
463.3259	Cr I	186	W	0.119	6.16	-5.761	0.9683	-5.752							
465.8299	Fe I	591	B	0.203	6.56	-5.516	0.9640	-5.507							
467.0172	Fe II	25	R	0.335	7.33	-5.234	0.9565	-5.223							
467.2837	Fe Ip	40	B	0.370	7.76	-5.154	0.9627	-5.149							
469.0797	Ti I	76	B	0.046	5.52	-6.261	0.9640	-6.254							
470.0613	Cr I	62	B	0.208	6.39	-5.517	0.9639	-5.509							
470.6304	Fe Ip	890	R	0.092	6.40	-5.850	0.9593	-5.838							
470.8016	Cr I	186	B	0.627	8.24	-4.919	0.9552	-4.911							
470.9497	Ru I	14	B	0.026	6.89	-6.399	0.9773	-6.394							
470.9713	Mn I	21	R	0.675	9.26	-4.832	0.9774	-4.828							
471.6838	Fe I	634	R	0.076	6.35	-5.938	0.9646	-5.928							
472.0134	Fe IIp	54	B	0.048	8.18	-6.020	0.9795	-6.012							
472.2161	Zn I	2	B	0.697	9.04	-4.799	0.9809	-4.795							
472.2761	Cr I	195	B	0.025	5.71	-6.470	0.9638	-6.459							
472.6141	Fe I	384	R	0.210	6.22	-5.498	0.9674	-5.490							
473.7353	Cr I	145	R	0.593	8.14	-4.938	0.9684	-4.933							
474.3822	Sc I	14	B	0.076	9.30	-5.790	0.9817	-5.787							
474.5131	Fe I	67	B	0.158	6.02	-5.669	0.9671	-5.661							
474.6117	Co I	182	B	0.020	7.42	-6.500	0.9737	-6.492							
474.8733	La II	65	B	0.053	6.18	-6.106	0.9798	-6.101							
475.4360	Co I	156	R	0.070	8.10	-5.898	0.9630	-5.887							
475.7841	Ru I	12	B	0.022	7.87	-6.406	0.9791	-6.401							
475.8121	Ti I	233	B	0.525	7.35	-5.060	0.9766	-5.056							
475.8420	Ni I	193	W	0.037	7.29	-6.212	0.9760	-6.205							
475.9273	Ti I	233	R	0.564	7.47	-4.997	0.9827	-4.994							
476.0065	Fe I	384	R	0.085	5.80	-5.955	0.9674	-5.946							
476.7858	Cr I	231	B	0.212	6.80	-5.481	0.9839	-5.477							
477.0672	Cr I	124	R	0.045	7.91	-6.060	0.9645	-6.049							
477.3966	Ce II	17	R	0.108	7.22	-5.744	0.9704	-5.736							
477.5140	Cr I	230	B	0.070	7.26	-5.930	0.9818	-5.925							
477.7854	Sm II	3	B	0.012	5.54	-6.840	0.9802	-6.836							
477.8258	Ti I	232	B	0.182	7.11	-5.490	0.9833	-5.486							
477.9443	Fe I	720	R	0.507	6.95	-5.078	0.9823	-5.075							
478.0812	Fe I	633	B	0.099	6.62	-5.811	0.9761	-5.805							
478.7494	Fe Ip	408	R	0.023	6.76	-6.455	0.9808	-6.449							
478.8761	Fe I	588	B	0.713	8.48	-4.833	0.9818	-4.830							
479.0562	Fe I	1068	W	0.102	6.52	-5.821	0.9741	-5.813							
479.0745	Fe I	632	R	0.104	6.75	-5.795	0.9786	-5.789							
479.1600	Sm II	7	R	0.035	6.99	-6.266	0.9815	-6.261							
479.2858	Co I	158	W	0.368	7.66	-5.175	0.9829	-5.172							
479.3424	Ni I	158	R	0.051	7.55	-6.039	0.9834	-6.034							
479.3969	Fe I	512	B	0.097	6.71	-5.824	0.9853	-5.820							
479.4360	Fe I	115	B	0.139	6.48	-5.651	0.9842	-5.648							
479.4824	Ti IIp	29	B	0.025	7.74	-6.363	0.9835	-6.358							
479.8267	Fe I	1042	R	0.498	7.36	-5.066	0.9723	-5.060							
479.9066	Fe Ip	1098	B	0.039	7.01	-6.198	0.9832	-6.193							
480.1028	Cr I	168	B	0.558	7.88	-5.001	0.9766	-4.997							
480.2527	Fe I	1206	R	0.163	7.48	-5.523	0.9786	-5.517							
480.5874	Zr I	43	B	0.011	6.76	-6.682	0.9805	-6.678							
480.8152	Fe I	633	W	0.334	6.81	-5.267	0.9730	-5.262							
480.9941	Fe I	793	B	0.227	7.01	-5.434	0.9766	-5.428							
481.3480	Co I	158	B	0.456	8.67	-5.043	0.9811	-5.040							
482.0415	Ti I	126	R	0.468	7.40	-5.091	0.9818	-5.088							
483.5871	Fe I	1068	B	0.555	7.83	-5.014	0.9780	-5.010							
483.6854	Cr I	144	B	0.167	7.22	-5.557	0.9728	-5.550							
483.7400	Ti Ip	250	B	0.026	7.54	-6.375	0.9858	-6.371							
488.0058	Cr I	167	B	0.065	8.50	-5.919	0.9798	-5.913							
488.5435	Fe I	966	R	0.721	8.67	-4.835	0.9694	-4.828							
489.2861	Fe I	1070	B	0.546	8.47	-4.974	0.9772	-4.970							
490.5137	Fe I	986	B	0.236	7.21	-5.202	0.9737	-5.197							
490.8610	Fe I	115	R	0.082	6.43	-5.920	0.9775	-5.914							
491.3976	Ni I	132	R	0.601	8.03	-4.928	0.9787	-4.924							
491.5235	Ti I	157	W	0.086	6.48	-5.907	0.9802	-5.902							
491.7234	Fe I	1066	B	0.649	6.68	-4.899	0.9751	-4.893							
492.6153	Ti I	39	R	0.078	6.74	-5.910	0.9888	-5.908							
493.5835	Ni I	177	R	0.631	8.46	-4.895	0.9851	-4.892							
493.6340	Cr I	166	B	0.498	7.85	-5.071	0.9791	-5.067							
495.3212	Ni I	111	R	0.588	8.19	-4.937	0.9888	-4.934							
495.3719	Cr I	166	R	0.059	7.18	-6.019	0.9909	-6.017							
495.4304	Fe Ip	1093	B	0.020	6.76	-6.488	0.9838	-6.483							
496.1920	Fe I	845	B	0.294	7.35	-5.324	0.9881	-5.322							
496.2577	Fe I	1097	R	0.582	8.09	-4.946	0.9836	-4.942							
496.4720	Ti I	173	B	0.099	6.71	-5.824	0.9868	-5.821							
496.4932	Cr I	9	B	0.469	6.97	-5.152	0.9821	-5.149							
496.6814	Cr I	259	R	0.034	9.92	-6.155	0.9828	-6.149							
496.7528	Ni I	141	R	0.161	7.29	-5.574	0.9783	-5.568							
497.6697	Ni Ip	254	W	0.073	6.89	-5.958	0.9860	-5.954							
498.7624	Fe Ip														

TABLE IV (continued).

Wavelength	Ident	Mode	D^L	$FWHM^L$	$\log(W/\lambda)^L$	I_c/I_e^T	$\log(W/\lambda)^T$	Wavelength	Ident	Mode	D^L	$FWHM^L$	$\log(W/\lambda)^L$	I_c/I_e^T	$\log(W/\lambda)^T$
528.9820	Y II	20 B	0.044	6.99	-6.200	0.9941	-6.198	562.2215	Si I	11 R	0.040	10.11	-6.091	0.9932	-6.088
529.3370	Cr I	192 B	0.052	7.04	-6.134	0.9970	-6.133	562.8643	Cr I	203 W	0.151	8.13	-5.604	0.9945	-5.602
529.4540	Fe I	875 B	0.164	7.11	-5.623	0.9913	-5.620	563.5821	Fe I	1088 B	0.360	8.27	-5.225	0.9929	-5.223
529.5306	Fe I	1146 W	0.321	7.80	-5.276	0.9922	-5.274	563.6700	Fe I	868 B	0.221	7.59	-5.492	0.9968	-5.492
529.5771	Ti I	74 R	0.138	7.18	-5.649	0.9926	-5.647	563.8745	Ni I	203 R	0.094	7.85	-5.824	0.9901	-5.820
529.9978	Ti I	74 W	0.162	10.83	-5.428	0.9923	-5.427	564.1439	Fe I	1087 R	0.569	10.83	-4.917	0.9832	-4.912
530.0394	Fe I	1240 B	0.047	8.08	-6.108	0.9949	-6.107	564.2364	Cr I	239 B	0.054	8.70	-6.037	0.9923	-6.034
530.0745	Cr I	18 B	0.611	8.39	-4.984	0.9903	-4.982	564.3078	Ni I	259 W	0.158	8.18	-5.587	0.9927	-5.585
530.1312	Fe Ip	1162 B	0.030	7.96	-6.313	0.9963	-6.312	564.4356	Fe Ip	1057 B	0.016	8.09	-6.542	0.9844	-6.535
530.3218	V II	54 B	0.036	9.94	-6.154	0.9945	-6.152	564.6110	V I	37 R	0.032	10.72	-6.191	0.9942	-6.189
530.4178	Cr I	225 R	0.167	8.06	-5.530	0.9962	-5.529	564.7238	Co I	112 W	0.121	9.67	-5.641	0.9965	-5.640
530.5865	Cr II	24 B	0.264	8.53	-5.325	0.9965	-5.324	564.8262	Cr I	239 W	0.040	8.76	-6.151	0.9942	-6.149
530.8426	Cr II	43 B	0.253	9.21	-5.328	0.9952	-5.327	564.8565	Ti I	269 W	0.107	7.88	-5.776	0.9945	-5.774
530.8681	Fe I	1091 B	0.070	6.80	-5.998	0.9870	-5.993	564.9385	Cr I	239 B	0.068	8.66	-5.937	0.9929	-5.935
531.0687	Cr II	43 R	0.133	8.46	-5.624	0.9930	-5.621	564.9991	Fe I	1314 R	0.360	8.75	-5.181	0.9899	-5.178
531.1626	Hf II	37 R	0.030	7.53	-6.327	0.9912	-6.324	565.1469	Fe Ip	1161 B	0.195	7.89	-5.523	0.9943	-5.521
531.2645	Co I	197 B	0.071	7.48	-5.976	0.9924	-5.973	565.2316	Fe I	1108 B	0.271	8.20	-5.348	0.9931	-5.346
531.2852	Cr I	225 R	0.208	7.75	-5.462	0.9931	-5.460	565.7443	V I	37 W	0.051	8.61	-6.070	0.9979	-6.069
531.8351	Sc II	22 B	0.120	9.03	-5.655	0.9959	-5.654	566.1017	Fe Ip	1234 R	0.043	7.81	-6.173	0.9925	-6.170
531.8763	Cr I	225 W	0.171	7.52	-5.570	0.9938	-5.568	566.1343	Fe I	1108 R	0.232	8.11	-5.400	0.9960	-5.399
532.0032	Fe I	877 B	0.218	7.17	-5.486	0.9894	-5.483	566.2153	Ti I	249 B	0.226	7.66	-5.490	0.9813	-5.485
532.1109	Fe I	1165 R	0.436	8.11	-5.095	0.9931	-5.093	566.5557	Si I	10 R	0.326	11.30	-5.112	0.9932	-5.111
532.5270	Co I	192 W	0.088	7.87	-5.840	0.9799	-5.833	567.0850	V I	36 R	0.151	11.07	-5.498	0.9955	-5.497
532.5548	Fe II	49 R	0.446	8.56	-5.077	0.9859	-5.073	567.7689	Fe Ip	1057 B	0.070	7.82	-5.963	0.9945	-5.961
532.6812	Fe I	1147 B	0.130	8.36	-5.661	0.9858	-5.656	567.8388	Fe Ip	982 R	0.048	8.14	-6.088	0.9909	-6.084
533.6162	Co I	191 B	0.031	7.79	-6.324	0.9850	-6.318	567.9921	Ti I	269 B	0.054	7.67	-6.095	0.9922	-6.093
534.2703	Co I	190 B	0.331	8.20	-5.235	0.9977	-5.235	568.0244	Fe I	1026 R	0.111	8.35	-5.729	0.9951	-5.727
534.4758	Cr I	225 R	0.089	7.65	-5.835	0.9976	-5.835	568.6836	Sc I	12 R	0.082	8.75	-5.848	0.9882	-5.845
534.7710	Ni I	145 B	0.056	7.17	-6.075	0.9929	-6.073	569.0425	Si I	10 B	0.417	10.89	-5.042	0.9884	-5.038
534.8319	Cr I	18 R	0.784	11.34	-4.718	0.9935	-4.717	570.1104	Si I	10 B	0.328	10.61	-5.170	0.9930	-5.168
535.2048	Co I	172 W	0.188	10.04	-5.426	0.9888	-5.423	570.1550	Fe I	209 R	0.711	10.52	-4.828	0.9925	-4.826
535.6089	Sc I	17 R	0.018	9.14	-6.455	0.9967	-6.454	570.2314	Cr I	203 W	0.213	10.37	-5.375	0.9974	-5.374
535.7184	Sc II	30 B	0.040	6.83	-6.236	0.9942	-6.234	570.2650	Ti I	249 B	0.079	7.71	-5.926	0.9964	-5.925
535.8111	Fe Ip	628 R	0.106	7.11	-5.788	0.9933	-5.786	570.7260	Fe Ip	866 R	0.028	7.59	-6.404	0.9855	-6.398
535.9194	Co I	194 W	0.102	8.01	-5.785	0.9932	-5.783	571.3882	Ti I	249 W	0.038	8.25	-6.197	0.9963	-6.196
537.6827	Fe I	1132 B	0.173	7.30	-5.599	0.9947	-5.597	571.7834	Fe I	1107 B	0.578	9.55	-4.935	0.9866	-4.931
537.7050	La II	95 B	0.045	7.07	-6.198	0.9924	-6.195	571.9817	Cr I	119 B	0.049	7.55	-6.126	0.9950	-6.124
537.9574	Fe I	928 R	0.621	8.67	-4.928	0.9952	-4.927	572.5644	V I	135 W	0.018	9.60	-6.486	0.9958	-6.485
538.0316	C I	11 B	0.157	14.26	-5.354	0.9927	-5.352	572.7657	V I	35 B	0.062	11.84	-5.870	0.9980	-5.870
538.4629	Ti I	35 R	0.016	7.53	-6.621	0.9968	-6.620	572.9198	Cr I	257 W	0.026	8.60	-6.385	0.9986	-6.385
538.5132	Zr I	26 B	0.020	7.96	-6.503	0.9978	-6.503	573.1767	Fe I	1087 R	0.560	9.17	-4.976	0.9960	-4.975
538.6330	Fe I	1064 B	0.353	7.82	-5.244	0.9934	-5.242	573.7068	V I	35 B	0.094	10.70	-5.808	0.9945	-5.807
538.9481	Fe I	1145 R	0.716	10.05	-4.801	0.9852	-4.797	573.8233	Fe I	1084 B	0.120	8.77	-5.693	0.9943	-5.691
539.2328	Ni I	250 B	0.134	7.57	-5.674	0.9916	-5.671	573.9472	Ti I	228 B	0.087	7.75	-5.883	0.9963	-5.882
539.5216	Fe I	1143 B	0.225	7.52	-5.446	0.9939	-5.444	574.1851	Fe I	1086 W	0.317	8.61	-5.275	0.9932	-5.273
539.8280	Fe I	1145 R	0.670	9.42	-4.866	0.9879	-4.863	574.2963	Fe I	1084 B	0.114	7.80	-5.773	0.9882	-5.769
540.1265	Fe I	1146 B	0.272	7.62	-5.376	0.9944	-5.374	574.8359	Ni I	45 R	0.293	8.12	-5.315	0.9928	-5.313
540.2775	Y II	35 B	0.137	6.91	-5.709	0.9913	-5.706	575.2038	Fe I	1180 R	0.527	9.25	-5.002	0.9933	-5.000
540.6776	Fe I	1148 R	0.387	8.04	-5.160	0.9915	-5.158	575.4406	Fe I	866 W	0.129	7.32	-5.763	0.9758	-5.754
541.2786	Fe Ip	1162 R	0.203	7.53	-5.491	0.9892	-5.488	575.9259	Fe I	1184 B	0.085	7.89	-5.907	0.9927	-5.904
541.7036	Fe I	1148 B	0.360	7.99	-5.193	0.9937	-5.191	576.0342	Fe I	867 B	0.245	7.66	-5.442	0.9948	-5.440
542.2149	Fe Ip	1145 R	0.113	7.66	-5.743	0.9916	-5.740	576.0527	Fe Ip	1054 R	0.022	7.45	-6.543	0.9905	-6.539
542.5246	Fe II	49 R	0.425	8.72	-5.086	0.9940	-5.085	576.0829	Ni I	231 W	0.350	8.52	-5.222	0.9905	-5.219
542.6241	Ti I	3 B	0.073	6.91	-5.965	0.9947	-5.964	576.6331	Ti I	309 R	0.088	8.96	-5.792	0.9972	-5.791
543.6290	Fe I	1161 W	0.417	8.23	-5.147	0.9947	-5.145	577.5083	Fe I	1087 R	0.560	9.31	-4.967	0.9978	-4.967
543.8028	Fe I	1237 B	0.025	8.87	-6.378	0.9971	-6.377	577.8461	Fe I	209 W	0.232	7.68	-5.465	0.9961	-5.464
543.8298	Ti I	108 W	0.030	9.13	-6.281	0.9908	-6.278	578.3071	Cr I	188 R	0.318	8.81	-5.233	0.9967	-5.232
544.3402	Fe Ip	1059 B	0.033	9.34	-6.215	0.9958	-6.213	578.4663	Fe I	686 B	0.274	7.89	-5.381	0.9970	-5.381
544.8907	Ti I	259 R	0.015	7.66	-6.619	0.9941	-6.617	578.5984	Ti I	309 W	0.114	8.58	-5.738	0.9838	-5.732
546.4279	Fe I	1030 R	0.407	7.94	-5.168	0.9919	-5.166	579.3073	Si I	9 B	0.346	11.13	-5.137	0.9915	-5.134
546.8105	Ni I	192 B	0.139	7.55	-5.656	0.9959	-5.655	579.3918	Fe I	1086 R	0.351	8.39	-5.223	0.9976	-5.222
547.0089	Fe I	1144 B	0.267	8.21	-5.333	0.9954	-5.331	579.8510	Cr I	17 R	0.016	7.85	-6.640	0.9958	-6.639
547.1199	Ti I	106 B	0.087	7.15	-5.902	0.9974	-5.902	580.5218	Ni I	234 W	0.392	9.45	-5.137	0.9957	-5.136
547.2285	Ce II	24 R	0.020	6.28	-6.592	0.9907	-6.589	580.6728	Fe I	1180 R	0.500	9.22	-5.038	0.9939	-5.036
547.3387	Y II	27 B	0.067	7.12	-6.032	0.9840	-6.026	580.7984	Fe Ip	1178 R	0.031	7.95	-6.318	0.9942	-6.316
547.4224	Ti I	108 R	0.112	7.11	-5.797	0.9888	-5.794	580.9875	Fe Ip	1084 B	0.020	8.64	-6.492	0.9976	-6.492
547.4453	Ti I	259 R	0.036	8.44	-6.228	0.9953	-6.227	581.1912	Fe I	1022 B	0.119	7.87	-5.757	0.9985	-5.757
548.4619	Sc I	16 B	0.031	9.09	-6.230	0.9987	-6.230	581.2828	Ti I	309 B	0.022	8.90	-6.434	0.9958	-6.433
549.0150	Ti I	107 B	0.242	7.10	-5.466	0.9934	-5.465	581.4814	Fe I	1086 W	0.235	8.33	-5.415	0.9963	-5.414
549.1829	Fe I	1031 R	0.129	7.92	-5.665	0.9949	-5.663	581.9930	Fe II	99 B	0.031	9.66	-6.252	0.9962	-6.250
549.4464	Fe I	1024 B	0.280	7.73	-5.350	0.9863	-5.346	582.3158	Fe II	164 W	0.018	9.69	-6.512	0.9959	-6.510
549.9407	Ni I	176 R	0.022	8.09	-6.466	0.9932	-6.464	582.4416	Fe IIp	58 B	0.028	9.03	-6.342	0.9979	-6.341
549.9587	Fe Ip	1159 R	0.029	7.61	-6.332	0.9968	-6.331	582.7872	Fe Ip	552 R	0.118	7.84	-5.742	0.9963	-5.741
550.3893	Ti I	287 B	0.15												

TABLE IV (continued).

Wavelength	Ident	Mode	D	λ^L	FWHM	$\log(W/\lambda)$	I_c/I_c^T	$\log(W/\lambda)$	Wavelength	Ident	Mode	D	λ^L	FWHM	$\log(W/\lambda)$	I_c/I_c^T	$\log(W/\lambda)$
590.5674	Fe I	1181	R	0.532	9.64	-4.988	0.9955	-4.987	624.2826	V I	19	B	0.075	9.99	-5.898	0.9966	-5.898
590.6497	Ti I	105	B	0.050	8.84	-6.091	0.9969	-6.090	624.3113	V I	19	B	0.240	10.18	-5.383	0.9938	-5.382
592.2119	Ti I	72	W	0.198	8.17	-5.515	0.9959	-5.514	624.5619	Sc II	28	B	0.301	9.94	-5.287	0.9949	-5.285
592.7785	Fe I	1175	B	0.410	9.43	-5.134	0.9978	-5.133	625.1823	V I	19	W	0.112	10.66	-5.685	0.9961	-5.685
592.9678	Fe I	1176	B	0.386	9.04	-5.188	0.9902	-5.185	625.2563	Fe I	169	R	0.741	14.34	-4.708	0.9950	-4.707
593.0182	Fe I	1180	W	0.668	11.67	-4.811	0.9867	-4.806	625.8110	Ti I	104	W	0.493	9.22	-5.097	0.9964	-5.096
593.3805	Fe Ip	1198	B	0.059	9.84	-5.966	0.9948	-5.964	626.5139	Fe I	62	W	0.677	11.28	-4.870	0.9931	-4.868
593.4662	Fe I	982	W	0.618	10.91	-4.879	0.9907	-4.876	627.0232	Fe I	342	R	0.500	9.07	-5.081	0.9926	-5.079
594.7531	Fe I	1199	B	0.083	9.10	-5.850	0.9962	-5.849	627.4658	V I	19	W	0.069	8.81	-5.961	0.9967	-5.961
594.8544	Si I	16	R	0.576	12.93	-4.819	0.9910	-4.816	628.5168	V I	19	W	0.095	8.24	-5.857	0.9977	-5.857
595.6702	Fe I	14	B	0.538	8.39	-5.090	0.9969	-5.089	629.0548	Fe Ip	208	B	0.040	7.84	-6.270	0.9934	-6.267
596.9567	Fe I	1086	R	0.040	8.83	-6.196	0.9956	-6.195	630.0683	Sc II	28	B	0.055	9.14	-6.063	0.9973	-6.062
597.6169	Fe Ip	1125	B	0.015	8.36	-6.637	0.9973	-6.636	630.3466	Fe I	1140	W	0.044	9.06	-6.139	0.9980	-6.138
597.6786	Fe I	959	W	0.571	10.15	-4.967	0.9798	-4.961	630.3765	Ti I	104	W	0.075	8.42	-5.938	0.9993	-5.938
597.8546	Ti I	154	W	0.238	8.19	-5.447	0.9930	-5.446	631.1505	Fe I	342	R	0.278	8.22	-5.387	0.9913	-5.384
598.2854	Cr I	185	B	0.033	8.96	-6.296	0.9957	-6.294	631.5816	Fe I	1014	B	0.398	9.18	-5.199	0.9961	-5.198
598.4823	Fe I	1260	B	0.634	12.07	-4.817	0.9909	-4.814	631.6583	Ni I	248	B	0.030	9.80	-6.299	0.9947	-6.297
599.1363	Fe II	46	R	0.293	9.52	-5.269	0.9933	-5.267	632.0418	La II	19	R	0.037	10.79	-6.127	0.9973	-6.126
599.6729	Ni I	249	W	0.186	9.02	-5.506	0.9897	-5.502	632.0841	Sc II	28	B	0.069	10.01	-5.286	0.9980	-5.286
600.0660	Co I	169	R	0.028	11.86	-6.203	0.9937	-6.201	632.2171	Ni I	249	R	0.156	9.42	-5.576	0.9959	-5.574
600.3017	Fe I	959	W	0.646	11.39	-4.852	0.9827	-4.847	632.2693	Fe I	207	W	0.634	10.86	-4.914	0.9952	-4.913
600.7965	Fe I	1178	R	0.540	9.76	-4.991	0.9830	-4.985	632.6845	Fe I	84	B	0.017	9.00	-6.586	0.9983	-6.586
600.8561	Fe I	982	R	0.663	11.44	-4.820	0.9878	-4.816	632.7608	Ni I	44	W	0.360	9.08	-5.228	0.9988	-5.228
601.5242	Fe Ip	63	W	0.045	7.73	-6.212	0.9947	-6.211	633.0096	Cr I	6	R	0.267	8.11	-5.397	0.9992	-5.397
601.6643	Mn I	27	B	0.626	14.84	-4.776	0.9925	-4.774	633.0852	Fe I	1254	B	0.316	9.22	-5.291	0.9949	-5.290
601.9369	Fe Ip	780	B	0.048	9.36	-6.065	0.9963	-6.064	633.5336	Fe I	62	R	0.711	12.05	-4.809	0.9921	-4.807
602.5760	Ni I	251	W	0.042	9.98	-6.118	0.9980	-6.118	633.6103	Ti I	103	B	0.052	8.25	-6.125	0.9953	-6.124
602.7055	Fe I	1018	B	0.596	10.05	-4.972	0.9875	-4.968	635.3837	Fe Ip	13	B	0.012	7.85	-6.750	0.9936	-6.748
603.4037	Fe Ip	1142	W	0.081	8.22	-5.920	0.9922	-5.917	636.9462	Fe II	40	R	0.171	10.14	-5.502	0.9971	-5.501
603.9729	V I	34	W	0.130	7.91	-5.721	0.9945	-5.720	637.6192	Fe Ip	1140	B	0.015	10.13	-6.517	0.9944	-6.514
605.3687	Ni I	247	R	0.180	8.92	-5.524	0.9860	-5.519	637.8256	Ni I	247	B	0.277	10.07	-5.315	0.9955	-5.313
605.4077	Fe I	1142	B	0.090	8.26	-5.859	0.9907	-5.855	638.0747	Fe I	1015	B	0.472	9.94	-5.089	0.9930	-5.087
605.6008	Fe I	1259	B	0.608	11.25	-4.892	0.9945	-4.890	638.5722	Fe Ip	1253	R	0.098	9.37	-5.777	0.9967	-5.775
606.4633	Ti I	69	B	0.080	7.88	-5.938	0.9930	-5.936	639.2543	Fe I	109	B	0.171	8.10	-5.626	0.9968	-5.625
606.5490	Fe I	207	B	0.753	14.22	-4.713	0.9851	-4.708	639.3610	Fe I	168	R	0.735	15.47	-4.686	0.9844	-4.680
606.7608	Si I	15	R	0.024	12.25	-6.263	0.9979	-6.263	641.1108	Fe I	1256	R	0.043	8.16	-6.232	0.9801	-6.220
607.8495	Fe I	1259	R	0.611	11.02	-4.879	0.9924	-4.877	641.6923	Fe II	74	B	0.357	10.65	-5.187	0.9955	-5.186
607.9013	Fe I	1176	R	0.434	9.50	-5.091	1.0001	-5.092	642.9895	Co I	81	B	0.024	12.01	-6.315	0.9964	-6.314
608.1447	V I	34	B	0.128	8.94	-5.695	0.9942	-5.693	643.2683	Fe II	40	B	0.363	10.44	-5.195	0.9970	-5.194
608.4106	Fe II	46	B	0.202	9.32	-5.479	0.9982	-5.478	643.6411	Fe I	1016	B	0.093	8.65	-5.840	0.9968	-5.839
608.6285	Ni I	249	R	0.394	9.83	-5.126	0.9960	-5.125	644.0937	Mn I	39	W	0.050	9.85	-6.071	0.9984	-6.071
608.6675	Co I	165	B	0.023	12.42	-6.322	0.9957	-6.320	645.2316	V I	48	R	0.049	13.93	-5.946	0.9979	-5.946
608.9570	Fe I	1327	R	0.350	8.81	-5.219	0.9960	-5.218	645.5000	Co I	174	B	0.088	13.69	-5.698	0.9963	-5.697
609.0215	V I	34	R	0.322	8.84	-5.277	0.9945	-5.275	645.6387	Fe II	74	B	0.523	11.47	-4.993	0.9941	-4.990
609.1181	Ti I	238	B	0.146	8.23	-5.657	0.9954	-5.656	646.4670	Ca I	19	B	0.112	8.82	-5.773	0.9963	-5.772
609.3148	Co I	37	B	0.065	11.31	-5.884	0.9953	-5.883	647.1663	Ca I	18	R	0.680	11.84	-4.848	0.9958	-4.847
609.3647	Fe I	1177	B	0.299	8.96	-5.317	0.9939	-5.315	647.7858	Co I	174	R	0.029	10.85	-6.283	0.9971	-6.281
609.4376	Fe I	1177	R	0.188	8.76	-5.494	0.9953	-5.492	648.1877	Fe I	109	W	0.572	9.94	-5.015	0.9932	-5.013
609.6669	Fe I	959	R	0.357	9.04	-5.198	0.9969	-5.197	648.2807	Ni I	66	W	0.363	9.69	-5.215	0.9976	-5.214
609.7087	Fe Ip	64	B	0.023	7.71	-6.506	0.9961	-6.505	649.8946	Fe I	13	W	0.440	8.62	-5.194	0.9895	-5.192
609.8249	Fe Ip	1200	B	0.154	8.55	-5.626	0.9943	-5.624	649.9654	Ca I	18	R	0.649	11.68	-4.870	0.9962	-4.869
609.8663	Ti I	304	B	0.051	9.02	-6.085	0.9949	-6.084	650.8837	Ca I	18	R	0.082	9.24	-5.866	0.9975	-5.865
611.1078	Ni I	230	R	0.317	9.51	-5.243	0.9964	-5.242	651.6087	Fe II	40	R	0.455	10.98	-5.055	0.9957	-5.054
611.1658	V I	34	W	0.084	11.61	-5.752	0.9987	-5.751	651.8374	Fe I	342	B	0.509	9.84	-5.079	0.9904	-5.077
611.8098	Ni I	230	B	0.023	10.05	-6.403	0.9971	-6.402	653.1431	V I	48	B	0.049	10.18	-6.087	0.9981	-6.086
612.0258	Fe I	14	B	0.051	7.92	-6.135	0.9943	-6.133	653.2882	Ni I	64	B	0.148	8.93	-5.652	0.9967	-5.651
612.1007	Ti I	153	R	0.033	9.23	-6.252	0.9912	-6.248	653.3936	Fe I	1197	B	0.337	10.09	-5.241	0.9931	-5.239
612.5029	Si I	30	W	0.227	11.92	-5.273	0.9926	-5.270	658.6319	Ni I	64	B	0.367	9.81	-5.219	0.9948	-5.218
612.6223	Ti I	69	R	0.220	8.13	-5.469	0.9958	-5.468	659.1314	Fe I	1229	B	0.095	8.73	-5.849	0.9968	-5.847
612.8979	Ni I	42	W	0.261	7.86	-5.427	0.9936	-5.426	659.3879	Fe I	168	R	0.645	11.85	-4.874	0.9920	-4.872
612.9221	Cr II	105	R	0.021	10.22	-6.422	0.9941	-6.418	659.8606	Ni I	249	R	0.213	10.04	-5.436	0.9973	-5.436
613.0140	Ni I	248	B	0.214	8.80	-5.476	0.9936	-5.473	659.9112	Ti I	49	B	0.084	7.92	-5.958	0.9958	-5.957
613.3970	Ni I	229	W	0.047	9.53	-6.090	0.9969	-6.089	660.4593	Sc II	19	R	0.314	10.06	-5.258	0.9958	-5.257
613.5367	V I	34	B	0.085	9.67	-5.839	0.9912	-5.837	660.6954	Ti I Ip	91	B	0.064	9.36	-6.009	0.9947	-6.006
614.3201	Zr I	2	R	0.011	10.38	-6.568	0.9929	-6.567	660.8031	Fe I	109	W	0.170	8.29	-5.620	0.9967	-5.619
614.5020	Si I	29	R	0.290	11.93	-5.181	0.9945	-5.179	662.5029	Fe I	13	R	0.148	7.82	-5.687	0.9976	-5.687
614.9248	Fe II	74	R	0.345	10.00	-5.187	0.9926	-5.184	662.7549	Fe I	1174	B	0.251	9.38	-5.397	0.9950	-5.395
615.1622	Fe I	62	W	0.507	8.57	-5.105	0.9976	-5.104	663.0013	Cr I	16	R	0.056	9.19	-6.056	0.9982	-6.055
615.5699	Si I	29	R	0.051	11.00	-6.003	0.9922	-5.999	663.2445	Co I	111	R	0.057	12.46	-5.941	0.9937	-5.938
615.6789	O I	10	R	0.038	12.25	-6.086	0.9955	-6.083	663.3755	Fe I	1197	W	0				

TABLE VI.

Wavelength	Mult	log(gf)	Wavelength	Mult	log(gf)	Wavelength	Mult	log(gf)	Wavelength	Mult	log(gf)	Wavelength	Mult	log(gf)
404.191	602	-3.094	525.302	113	-3.906	575.441	866	-2.905	635.384	13	-6.571	697.047	463	-3.845
419.449	274	-3.369	526.262	1149	-2.262	575.926	1184	-2.136	637.619	1140	-3.056	697.194	404	-3.494
428.159	171	-4.121	527.965	584	-3.598	576.034	867	-2.534	638.572	1253	-1.897	698.853	167	-3.529
431.945	214	-3.614	529.454	875	-2.766	576.053	1054	-3.257	639.254	109	-4.039	700.062	1005	-2.247
439.230	757	-2.982	529.531	1146	-1.610	577.846	209	-3.557	641.111	1256	-2.374	700.797	1078	-1.932
441.339	1046	-2.556	530.039	1240	-2.416	578.466	686	-2.678	643.641	1016	-2.465	701.035	1221	-1.985
443.964	515	-3.055	530.131	1162	-2.812	579.392	1086	-1.682	653.394	1197	-1.346	702.407	1003	-2.073
448.597	825	-2.518	530.868	1091	-2.600	580.798	1178	-2.604	659.131	1229	-2.095	706.954	205	-4.358
450.421	988	-3.348	532.003	877	-2.600	580.988	1084	-3.088	660.803	109	-4.026	707.186	1194	-1.497
454.322	893	-3.392	532.681	1147	-2.094	581.191	1022	-2.443	662.503	13	-5.350	707.281	1003	-2.850
454.647	1047	-2.572	535.811	628	-3.267	581.481	1086	-1.904	662.755	1174	-1.586	708.340	1277	-1.398
455.165	972	-2.071	537.683	1132	-2.135	582.787	552	-3.225	666.743	168	-4.435	711.456	267	-4.020
455.693	638	-2.674	538.633	1064	-1.797	583.510	1084	-2.248	666.772	1228	-2.161	711.810	1278	-1.630
456.603	1169	-3.303	539.522	1143	-1.809	583.770	1129	-2.375	669.914	1228	-2.172	712.499	815	-3.724
459.353	971	-2.001	540.127	1146	-1.629	584.492	1056	-3.021	670.357	268	-3.073	713.299	1002	-1.747
460.709	724	-3.588	541.279	1162	-1.872	584.969	922	-3.025	670.449	1052	-2.691	714.252	1274	-1.018
463.078	969	-3.174	542.215	1145	-2.267	585.315	35	-5.173	671.032	34	-4.909	715.147	109	-3.679
465.830	591	-3.005	543.803	1237	-2.692	585.508	1179	-1.654	671.375	1255	-1.497	715.564	1276	-1.022
470.630	890	-3.032	544.340	1059	-2.974	585.609	1128	-1.640	672.536	1052	-2.275	718.000	33	-4.802
471.684	634	-3.492	547.009	1144	-1.658	585.878	1084	-2.259	673.316	1195	-1.499	718.916	463	-2.787
472.614	384	-3.234	549.183	1031	-2.300	586.111	1084	-2.425	673.653	1122	-3.144	719.013	463	-3.386
474.513	67	-4.172	549.446	1024	-2.018	587.628	1084	-2.781	673.952	34	-4.923	721.244	1273	-1.117
476.007	384	-3.705	549.959	1159	-2.754	587.949	1201	-2.063	674.597	1005	-2.758	722.121	1189	-1.309
478.081	633	-3.356	552.128	1162	-2.570	588.003	1201	-2.019	675.347	1196	-2.393	722.870	267	-3.380
478.749	408	-4.245	552.424	1059	-2.902	588.128	1178	-1.840	675.655	1120	-2.826	726.100	267	-3.644
479.056	1068	-2.531	553.928	871	-2.647	590.247	1234	-1.927	678.686	1052	-1.988	726.856	957	-2.941
479.075	632	-3.339	554.699	1061	-1.904	593.381	1198	-2.205	679.326	1005	-2.487	728.484	1004	-1.725
479.397	512	-3.560	555.269	1281	-1.835	594.753	1199	-2.108	679.612	1007	-2.461	730.657	1077	-1.637
479.436	115	-3.965	556.886	869	-2.979	596.957	1086	-2.778	680.187	34	-5.876	731.206	1310	-1.956
479.907	1098	-2.813	557.702	1314	-1.552	597.617	1125	-3.222	680.428	1225	-1.916	734.850	1004	-2.870
480.253	1206	-1.775	558.757	1026	-1.765	601.524	63	-4.741	680.685	268	-3.210	740.086	204	-4.513
480.815	633	-2.696	559.505	1314	-1.842	601.937	780	-3.300	682.037	1197	-1.215	740.169	1004	-1.669
480.994	793	-2.621	560.898	1108	-2.376	603.404	1142	-2.455	682.485	1280	-2.232	741.833	1002	-3.030
490.861	115	-4.195	560.997	866	-3.250	605.408	1142	-2.331	683.324	1194	-2.033	742.156	1188	-1.805
495.430	1093	-3.193	561.136	869	-2.997	608.957	1327	-9.922	683.701	1225	-1.789	743.054	204	-3.917
496.192	845	-2.417	561.960	1161	-1.546	609.365	1177	-1.451	683.983	205	-3.424	744.740	1273	-1.104
498.762	1094	-2.940	563.582	1088	-1.654	609.438	1177	-1.652	685.164	34	-5.388	746.153	204	-3.549
499.279	1110	-2.323	563.670	868	-2.602	609.709	64	-5.082	685.572	1194	-1.789	746.339	1307	-1.734
499.541	1113	-2.164	564.436	1057	-3.255	609.825	1200	-1.897	685.725	1006	-2.154	748.174	266	-4.247
501.648	1089	-1.669	565.147	1161	-1.869	612.026	14	-5.940	686.010	1255	-2.431	748.431	1306	-1.706
504.712	1242	-2.443	565.232	1108	-1.836	615.741	624	-3.865	686.194	109	-3.844	749.854	1001	-2.220
505.849	884	-2.823	566.102	1234	-2.484	615.938	1175	-1.948	686.250	1191	-1.496	750.127	1002	-2.962
511.991	960	-3.031	566.134	1108	-1.889	618.740	342	-4.193	686.431	1186	-2.338	754.044	266	-3.840
514.573	931	-3.095	567.769	1057	-2.705	619.951	208	-4.412	688.063	1051	-2.372	754.790	1306	-1.235
515.995	1095	-2.678	567.839	982	-3.040	622.078	958	-2.447	689.829	1078	-2.209	755.110	1303	-1.646
520.529	1112	-3.056	568.024	1026	-2.367	622.674	981	-2.154	693.063	1221	-2.080	758.212	1274	-1.710
520.681	1095	-2.551	570.726	866	-3.588	629.055	208	-4.438	693.362	167	-3.537	761.799	1001	-2.419
521.380	962	-2.819	573.823	1084	-2.297	630.347	1140	-2.671	693.362	1005	-1.903	771.905	1304	-1.095
522.318	880	-2.344	574.185	1086	-1.727	631.151	342	-3.206	693.650	1196	-2.273	772.321	108	-3.556
523.824	962	-3.133	574.296	1084	-2.421	633.085	1254	-1.287	696.032	1222	-2.014	773.767	1137	-2.841
774.552	1305	-1.261												
775.111	1304	-0.793												
782.079	1118	-2.686												
784.455	1250	-1.776												
794.110	623	-2.525												
795.494	402	-3.824												
795.570	1305	-1.239												
795.915	1304	-1.301												

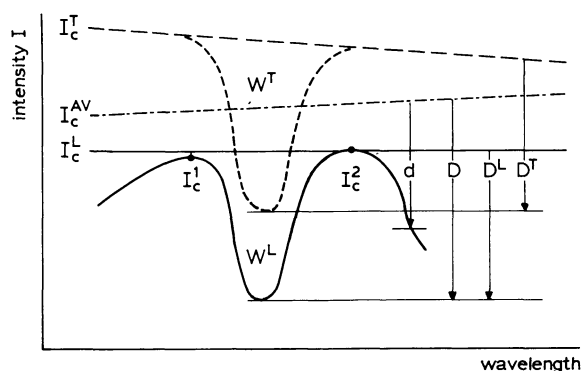


FIGURE 1. — Definition of line parameters. A quasi-continuous « line haze » of unresolved blends lowers the « true » continuum I_c^T to the observed « local » continuum I_c^L . The observed line (solid curve between the maxima I_c^1 and I_c^2) has a local equivalent width W^L ; the dashed profile with equivalent width W^T is the true line, *i.e.* the line one would observe if the blends were not present. The dot-dashed line is the extended Ardeberg-Virdefors continuum I_c^{AV} defined in section 2.2. The depth d is measured from the latter continuum; $d = 1$ for $I = 0$, and $d = D$ at the minimum of the observed line. D^L and D^T are the local and true fractional depths of the line, respectively. Intensities are measured in arbitrary units, wavelengths and equivalent widths in nm (1 nm = 10 Å).

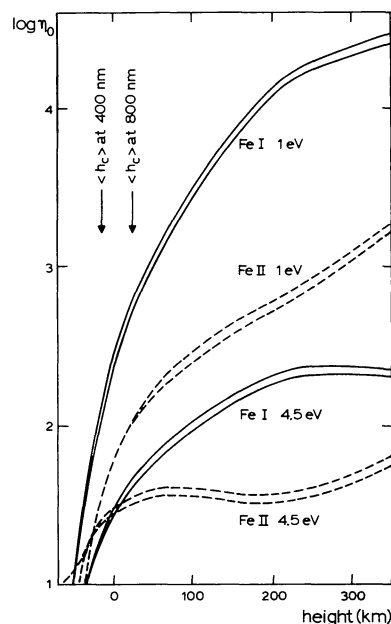


FIGURE 3. — The logarithm of the ratio of the line and continuum absorption coefficients $\eta_0 = I_0/k_c$ at line center, against the height in the photosphere. The arrows mark the mean heights of formation of the continuum at $\lambda = 400$ nm and $\lambda = 800$ nm. The upper curve of each pair is for $\lambda = 800$ nm, the lower for $\lambda = 400$ nm. Each pair of curves has been shifted vertically by an arbitrary amount.

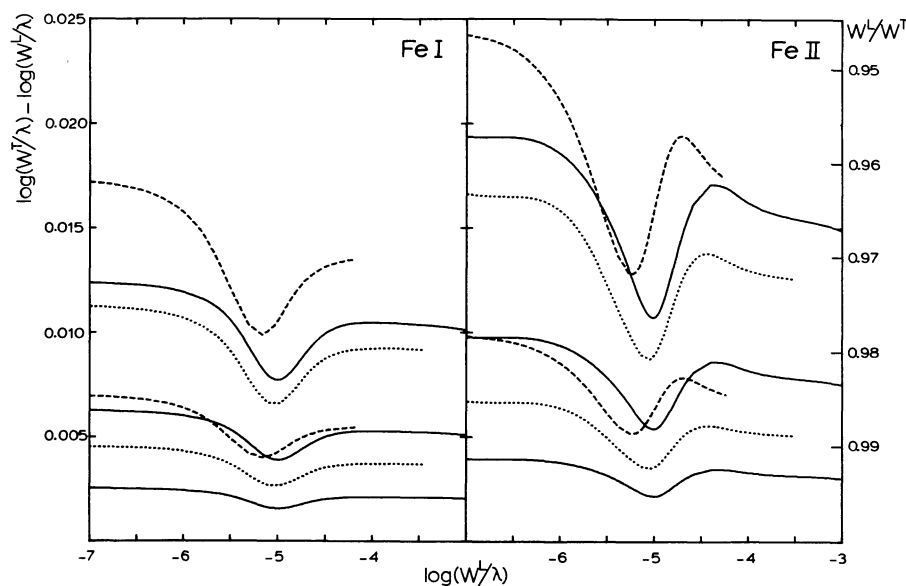


FIGURE 2. — Line-strength correction curves for Fe I lines (left) and Fe II lines (right), respectively at $\lambda = 400$ nm and $\chi = 1$ eV (solid), $\lambda = 500$ nm and $\chi = 3$ eV (dotted) and at $\lambda = 800$ nm and $\chi = 4.5$ eV (dashed). W^T is the true equivalent width computed without opacity enhancement; W^L is the local equivalent width of the same line but computed with increases of the continuous opacity by $\varepsilon = 2\%$, 5% and ($\lambda = 400$ nm only) 10% .

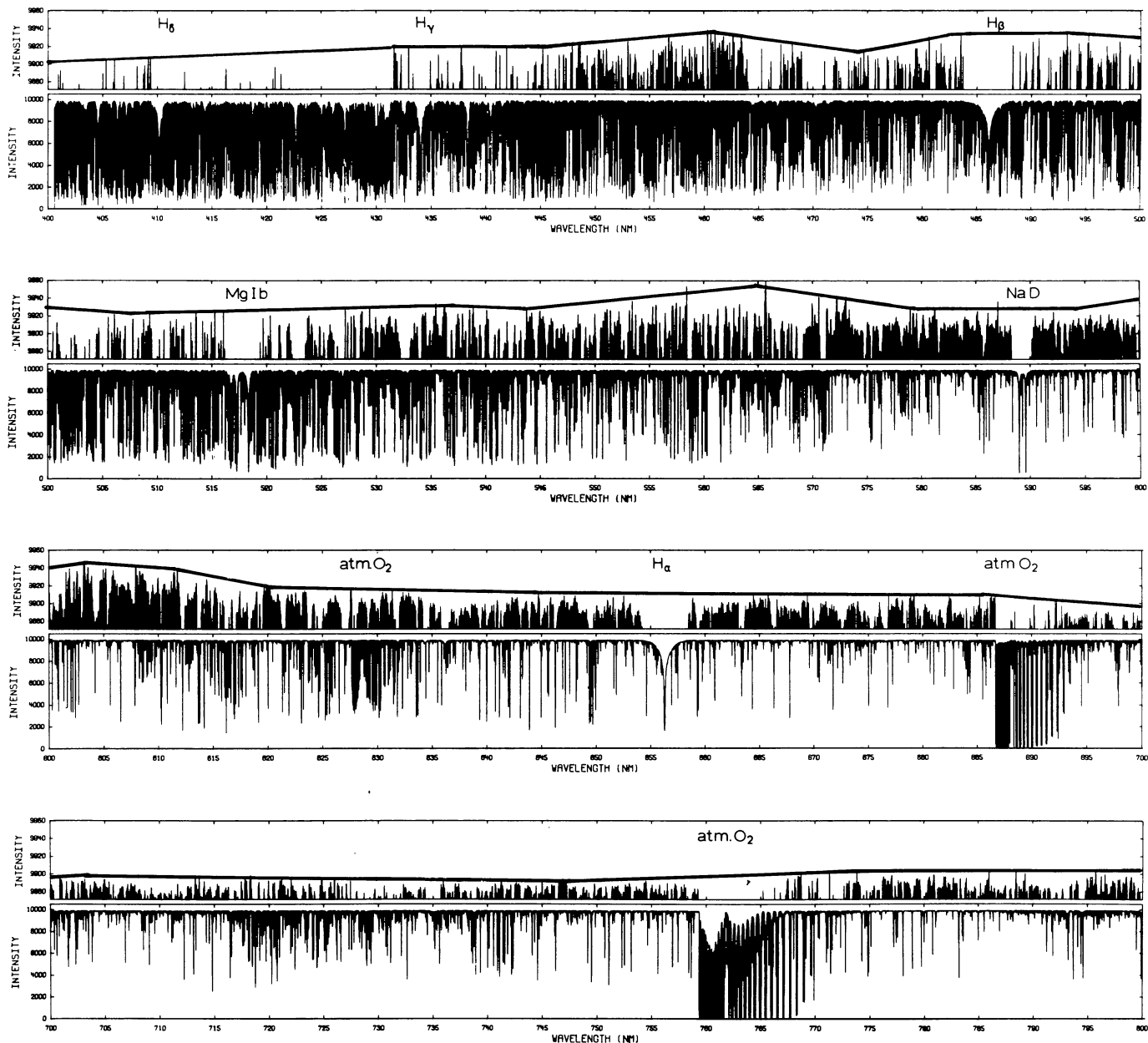


FIGURE 4. — Low-dispersion high-resolution plot of the Jungfrauoch Atlas of the solar spectrum $\lambda\lambda 400.6-800$ nm. The bottom panel of each wavelength strip shows the disk-center intensity in tape-edition units (0-10000). The top panel of each strip shows the top 0.8% (9870-9960) only, to emphasize the continuum windows. The $I = 100$ level of the graphical edition is at 10000; it exceeds the highest windows. The solid line in the continuum panels is the extended Ardeberg-Virdefors continuum I_c^{AV} . Sampling resolution: 1 pm (every fifth tape-edition value).

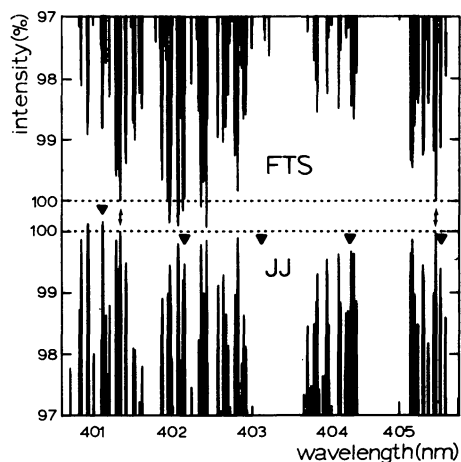


FIGURE 5. — Comparison of the Jungfrauoch Atlas with KPNO FTS data for the region of overlap. The continuum windows of the Atlas are shown on an exaggerated scale at the bottom; the corresponding windows in the FTS data are on top, on a reversed intensity scale. Each data set is normalized to a straight line (dotted) connecting the $\lambda = 401.34$ nm and $\lambda = 405.31$ nm peaks (arrows), which are the highest peaks in the unnormalized FTS data and in the Atlas data, respectively. The triangles mark the endpoints of adjacent Atlas segments. Sampling resolutions : 0.2 pm for the Atlas, 0.5 pm for the FTS data.

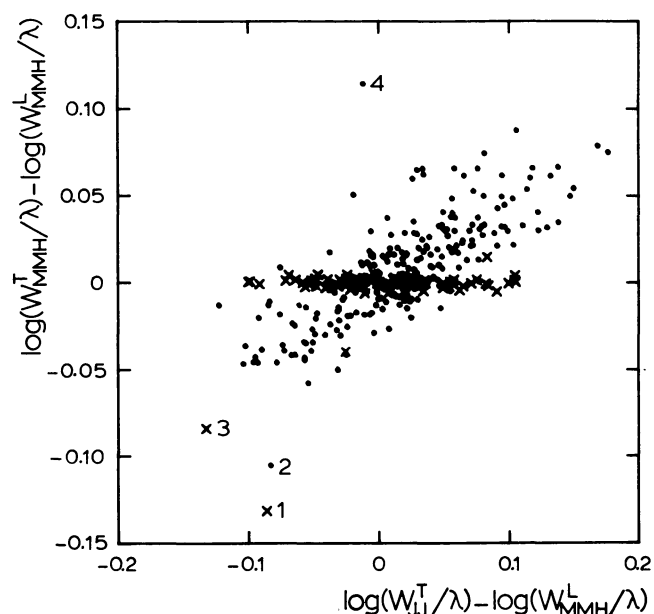


FIGURE 7. — The MMH corrections against the difference between the corrected Jungfrauoch line strengths and the uncorrected MMH line strengths, for the stronger lines only. Dots : lines for which MMH have averaged their equivalent-width measurement with values from the literature (printed in italics in MMH). The numbers identify deviating lines : 1 = $\lambda 653.394$, 2 = $\lambda 554.699$, 3 = $\lambda 588.382$, 4 = $\lambda 649.895$.

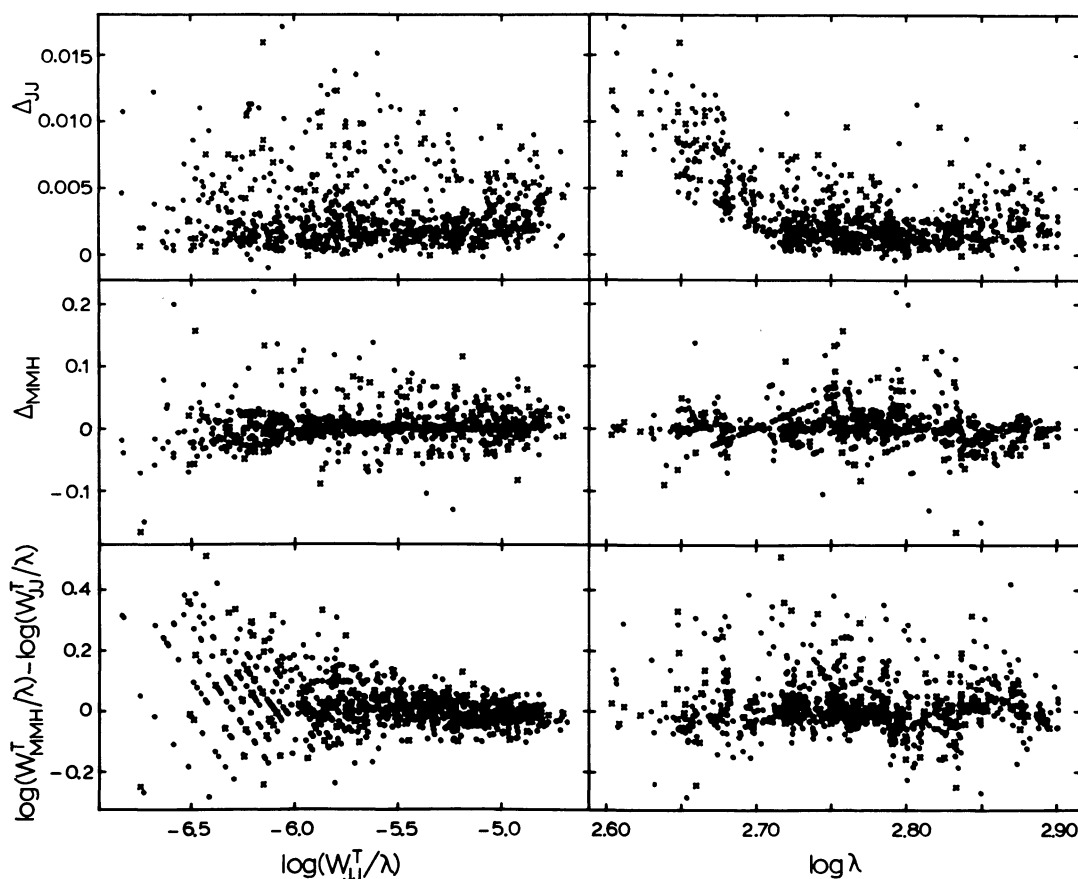


FIGURE 6. — Scatter diagrams for the 750 clean lines. Abscissae : corrected line strength $\log(W_{JJ}^T/\lambda)$ from the Jungfrauoch Atlas (left); logarithm of the wavelength in nm (right). The top panels show the background corrections for the Jungfrauoch Atlas; the middle panels show the MMH corrections; the bottom panels show the differences between the corrected MMH and Jungfrauoch line strengths. Dots : half profile.

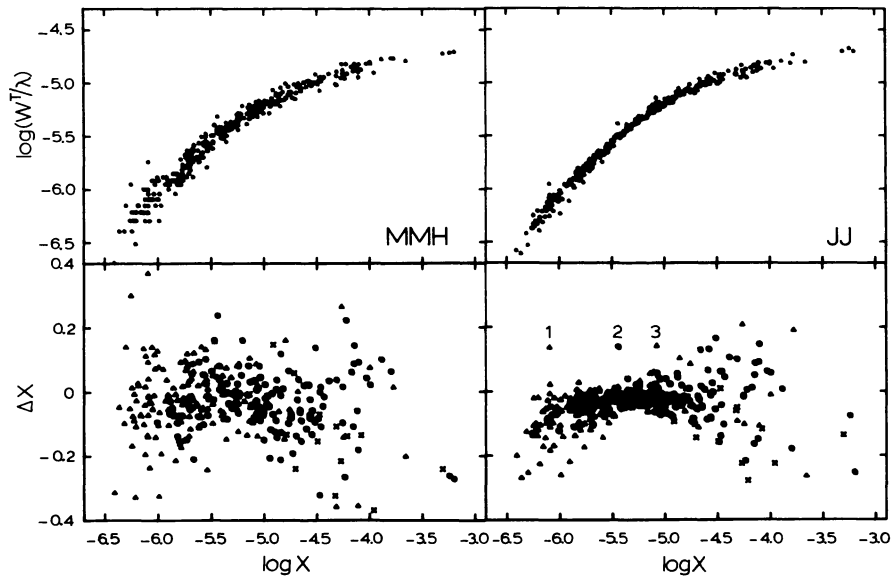


FIGURE 8. — Results for 316 clean Fe I lines. Top panels : NLTE curves of growth, respectively with line strengths from MMH (left) and from the Jungfrauoch Atlas (right). Bottom panels : horizontal deviations of the individual points of each curve of growth from the $\lambda = 550$ nm standard curve of growth of paper RZ. Crosses : Oxford lines ; triangles : non-suspect Kiev lines with $\log gf < -2.0$; circles : suspect Kiev lines with $\log gf > -2.0$. The numbers identify three deviating lines, respectively : 1 = $\lambda 514.573$, 2 = $\lambda 707.186$, 3 = $\lambda 467.284$.

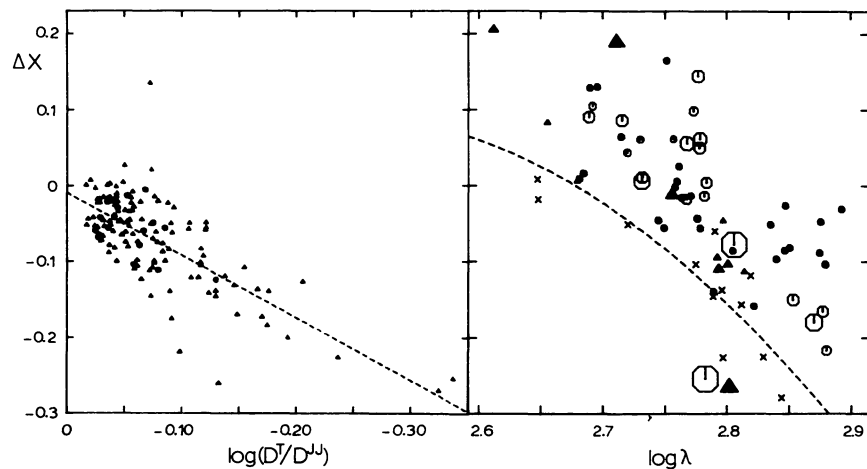


FIGURE 9. — Ordinate : horizontal deviations as in the lower-right panel of figure 8. Left : against $\log(D^I/D^{II})$, for the weak Fe I lines ($\log X < -5.5$) only. Right : against the logarithm of the wavelength in nm, for the strong lines ($\log X > -4.8$) only. Symbol coding as in figure 8 ; the size of the symbols in the righthand panel increases with the product of the line strength and the differential mean square radius taken from Warner (1969).

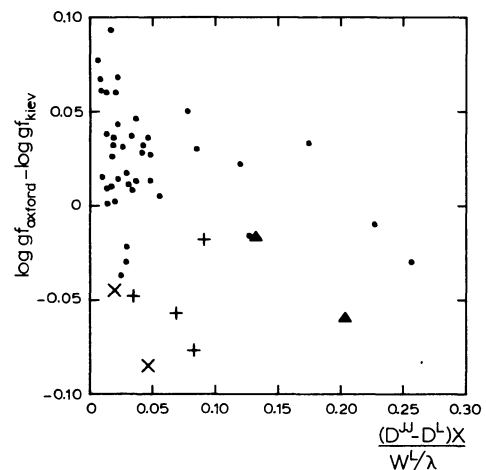


FIGURE 10. — Comparison of Kiev and Oxford gf -values for the lines of overlap. The abscissa measures the effect of the Kiev background error on the Kiev oscillator strengths for the strongest lines. Crosses : weak lines with the background error ; plusses : blended lines ; triangles : lines with the NLTE error.